

AchieveMath

# Student Book

Volume 1

Name:

Catapult Learning™

Unit 1:

# Patterns and the Coordinate Plane

# Catapult Learning™

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# Fitness Challenge

Complete the ratio tables and number lines to help you answer the questions.

**Table 1: Push-Ups**

Minutes	0	1	2	3	4
Push-Ups	0	3	6		

1. What is the arithmetic rule for the top row of the table? \_\_\_\_\_
2. What is the arithmetic rule for the bottom row of the table? \_\_\_\_\_
3. Show the data from the table on a number line.



4. What is the relationship between the top row of the table and the bottom row of the table? \_\_\_\_\_

**Table 2: Jumping Jacks**

Minutes	0	3	6	9	12
Jumping Jacks	0	24	48		

5. What is the arithmetic rule for the top row of the table? \_\_\_\_\_
6. What is the arithmetic rule for the bottom row of the table? \_\_\_\_\_
7. Show the data from the table on a number line.



8. What is the relationship between the top row of the table and the bottom row of the table? \_\_\_\_\_

# Cross-Country Running

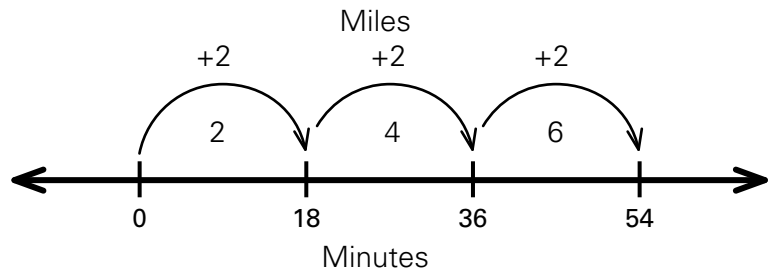
Review the example problem. Then use a **number line** and the ratio table to answer the questions.

## Example

Miguel runs a race. He runs **2** miles every **18** minutes. How many minutes will it take Miguel to run 6 miles?

### Step 1

Show Miguel's pattern on a number line.



### Step 2

Find the arithmetic rule to describe each pattern.

The number of minutes increases by **18**.

The number of miles increases by **2**.

### Step 3

Show both patterns in a table.

<b>Minutes</b>	0	18	36	54
<b>Miles</b>	0	2	4	6

It will take Miguel 54 minutes to run 6 miles.

1. Fern runs 1 mile every 12 minutes. Make a number line to show how far Fern runs after 36 minutes.

2. Complete the table to find out how long it takes Fern to run 6 miles.

<b>Minutes</b>	0	12					
<b>Miles</b>	0	1					

It will take Fern \_\_\_\_\_ minutes to run 6 miles.

3. How would you describe the relationship between the number of minutes Fern runs and the number of miles she runs? \_\_\_\_\_

# Lesson 1 Exit Ticket

Use a **number line** and the ratio table to answer the questions.

1. Kim is doing a 1-minute sit-up challenge. She does 5 sit-ups every 10 seconds.  
Draw a number line to show how many sit-ups she does after 30 seconds.
2. How long will it take her to do 30 sit-ups? Make a ratio table to find out.

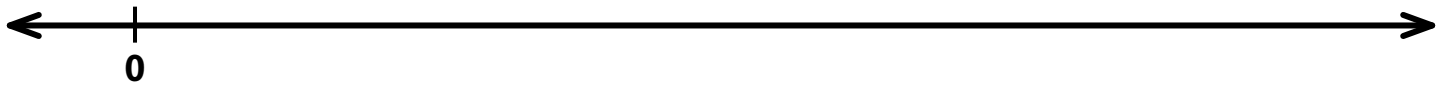

It will take Kim \_\_\_\_\_ seconds to do 30 sit-ups.

3. What arithmetic rule describes the pattern for the number of seconds? \_\_\_\_\_
4. What arithmetic rule describes the pattern for the number of sit-ups? \_\_\_\_\_
5. How would you describe the relationship between the number of seconds and the number of sit-ups? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

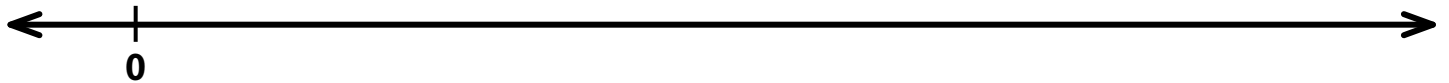
# Extra Practice: Pet Tricks

**Part 1:** Use the number lines to describe the number patterns.

1. Jen is teaching her cat tricks. She gives Cricket 3 treats each time he does a trick correctly.



2. Mei is teaching her parrot tricks. She gives Mr. Squawk 2 treats each time he does a trick correctly.



**Part 2:** Complete the table to show the treats given. Then, answer the questions.

Tricks Performed	Cricket's Treats	Mr. Squawk's Treats
0		
1		
2		
3		
4		
5		
6		

3. If Jen gives Cricket 24 treats, how many tricks did he perform? \_\_\_\_\_

4. How many treats will Mei give Mr. Squawk if he performs the same number of tricks? \_\_\_\_\_

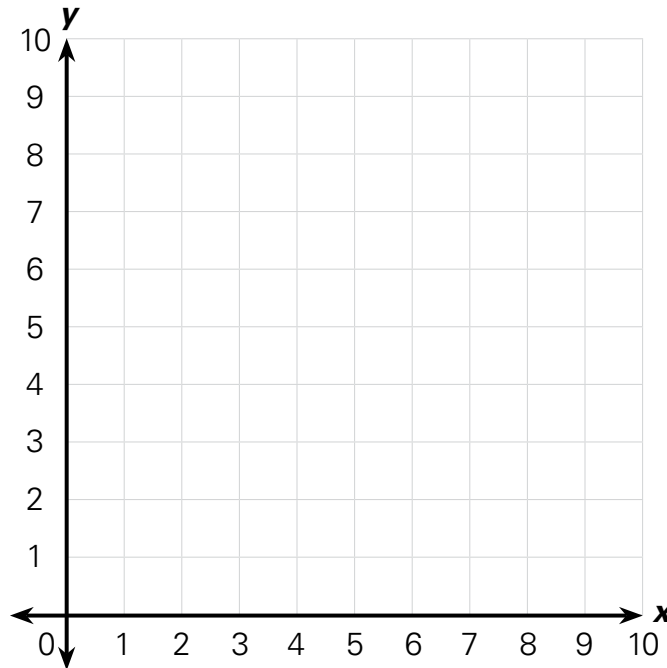
# Open Number Lines





# The *Dragon's Revenge*

Plot and label each piece of treasure on the coordinate plane given. Then, describe the location of each point.



**1. Necklace: (6, 9)**

The necklace is \_\_\_\_\_ units to the right and \_\_\_\_\_ units up from the origin.

**2. Goblet: (4, 1)**

The goblet is \_\_\_\_\_ units to the right and \_\_\_\_\_ units up from the origin.

**3. Emerald: (8, 5)**

The emerald is \_\_\_\_\_ units to the right and \_\_\_\_\_ units up from the origin.

**4. Pearl: (0, 3)**

The pearl is \_\_\_\_\_ units to the right and \_\_\_\_\_ units up from the origin.

**5. Silver coin: (1, 8)**

The silver coin is \_\_\_\_\_ units to the right and \_\_\_\_\_ units up from the origin.

**6. Sapphire: (5, 4)**

The sapphire is \_\_\_\_\_ units to the right and \_\_\_\_\_ units up from the origin.

# Neighborhood Map

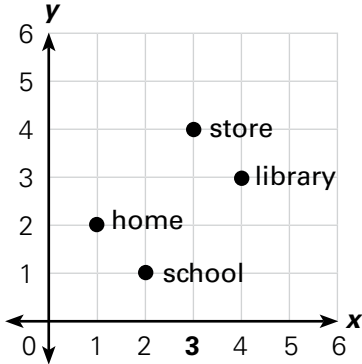
Review the example problem. Then locate the points on the coordinate plane.

## Example

What is located at **(3, 4)** on the map?

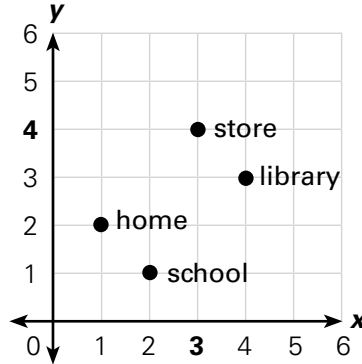
### Step 1

Start at the origin. Move along the **x-axis** to **3**.



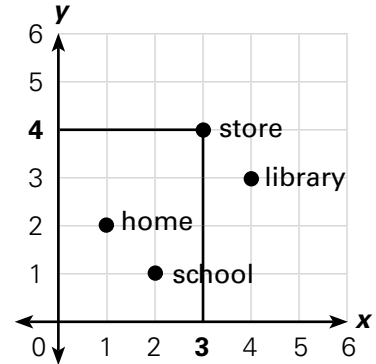
### Step 2

Start at the origin. Move along the **y-axis** to **4**.



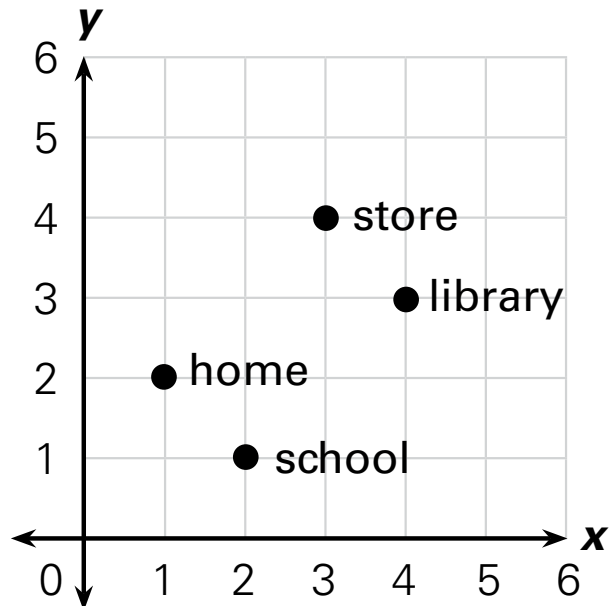
### Step 3

Find the point where **3** on the x-axis and **4** on the y-axis meet.



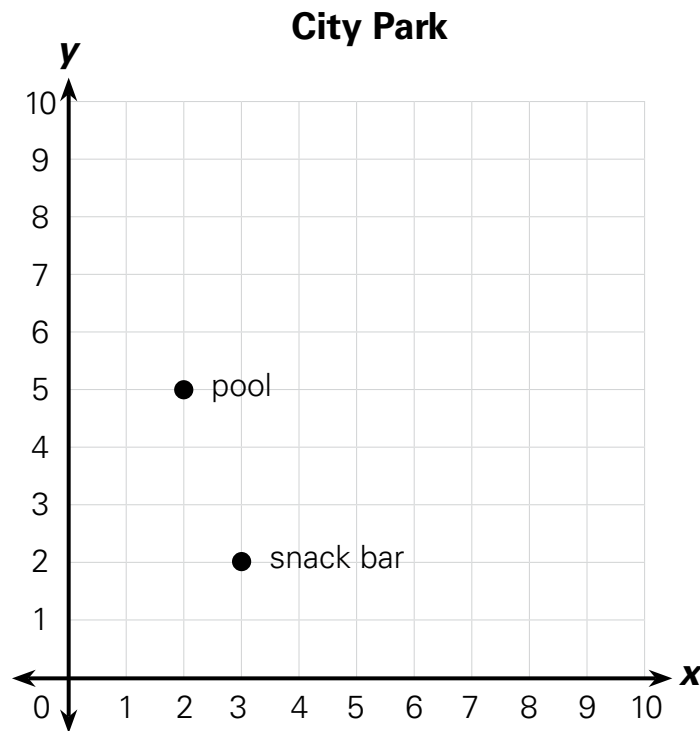
The store is located at **(3, 4)** on the map.

1. What is located at (1, 2) on the map? \_\_\_\_\_
2. Locate the library. Write the ordered pair for its location. \_\_\_\_\_
3. Label a bus stop at (1, 5) on the map.
4. Label a park at (6, 6) on the map.
5. Label city hall at (0, 4) on the map.



# Lesson 2 Exit Ticket

Read the questions. Then locate the points on the coordinate plane.



1. What is located at (3, 2) on the map? \_\_\_\_\_
2. Locate the point for the pool. Write the ordered pair for its location \_\_\_\_\_
3. Label a restroom at (4, 6) on the map.
4. On the coordinate plane, what do the numbers represent in the ordered pair (6, 2)?

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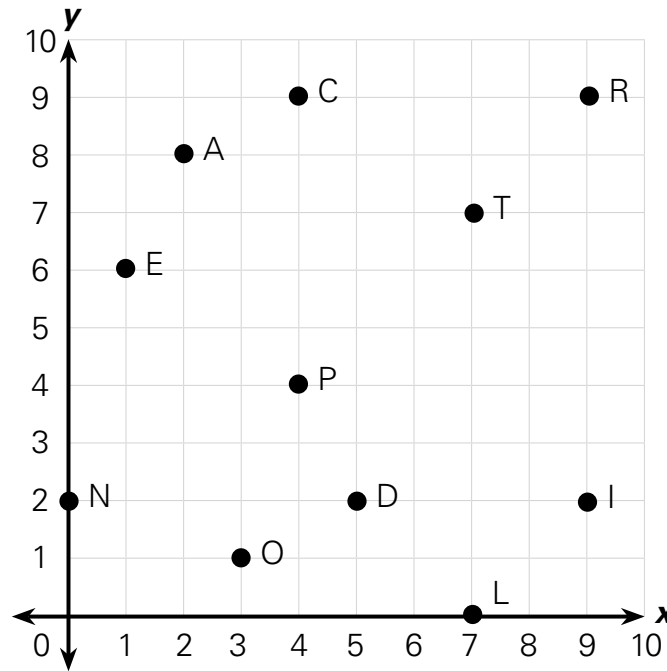
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# Extra Practice: Mystery Words

Find the point described by each ordered pair. Write the letter for each point above its ordered pair to reveal a vocabulary term.



1.

(4, 9)	(3, 1)	(3, 1)	(9, 9)	(5, 2)	(9, 2)	(0, 2)	(2, 8)	(7, 7)	(1, 6)
(4, 4)	(7, 0)	(2, 8)	(0, 2)	(1, 6)					

2.

(3, 1)	(9, 9)	(5, 2)	(1, 6)	(9, 9)	(1, 6)	(5, 2)
(4, 4)	(2, 8)	(9, 2)	(9, 9)			

# Arcade Games

**Part 1:** Complete the ratio table. Then answer the questions.

Each bowling game costs 3 tokens. You score 5 points for each game.

Tokens Used	Points Scored
3	5
6	10

1. How many tokens will you use to score 15 points? \_\_\_\_\_ tokens
2. How many reward points will you have after spending 12 tokens? \_\_\_\_\_ points
3. A prize you want costs 40 points. How many tokens will you need to spend to score enough reward points? \_\_\_\_\_ tokens
4. How would you describe the relationship between the number of tokens used and the number of points scored? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

**Part 2:** Complete the ratio table. Then answer the questions.

Each video game costs 1 token. Each token costs \$2.

Tokens Used	Money Spent
0	\$
	\$
	\$
	\$
	\$

5. If you continue the pattern, how much will you spend on 8 tokens? \_\_\_\_\_
6. Explain how you solved the problem. \_\_\_\_\_  
\_\_\_\_\_

# Arcade Tickets

Review the example problem. Complete the table. Use graph paper to show the ordered pairs on a **coordinate plane**.

## Example

Jace uses **4** tickets to play each game at the arcade. Use a ratio table to find out how many tickets he uses to play **5** games. Then graph the information on a coordinate plane.

### Step 1

Identify the two variables.

Each game costs **4** tickets.

Jace wants to play **5** games.

### Step 2

Start a ratio table and use the arithmetic rule for each pattern to complete it.

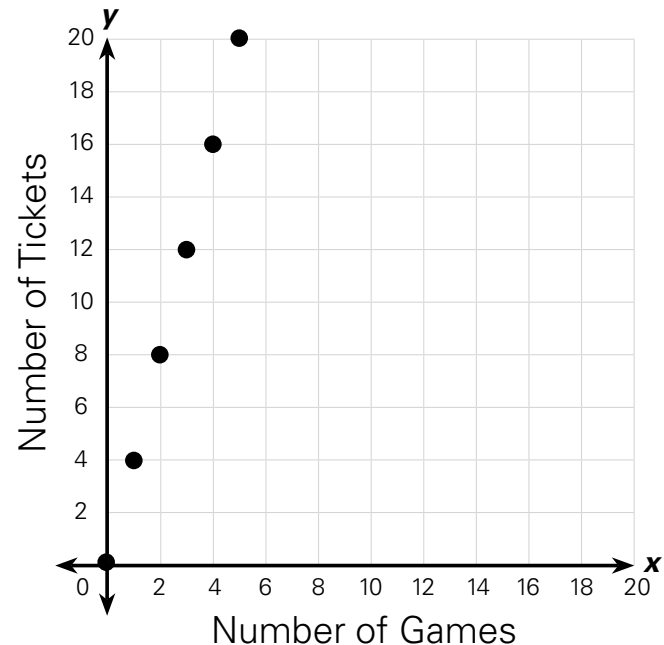
Number of Games ( $x$ )	Number of Tickets ( $y$ )
0	0
1	4
2	8
3	12
4	16
5	20
+1	+4

Jace uses 20 tickets to play 5 games.

### Step 3

Identify the ordered pairs and graph them.

(0, 0) (1, 4) (2, 8) (3, 12) (4, 16) (5, 20)



Mona uses 3 tickets to play each game. Complete the table and a graph for 6 games.

Number of Games ( $x$ )	Number of Tickets ( $y$ )	Ordered Pairs

# Lesson 3 Exit Ticket

Read the problem. Then complete the table and graph the ordered pairs.

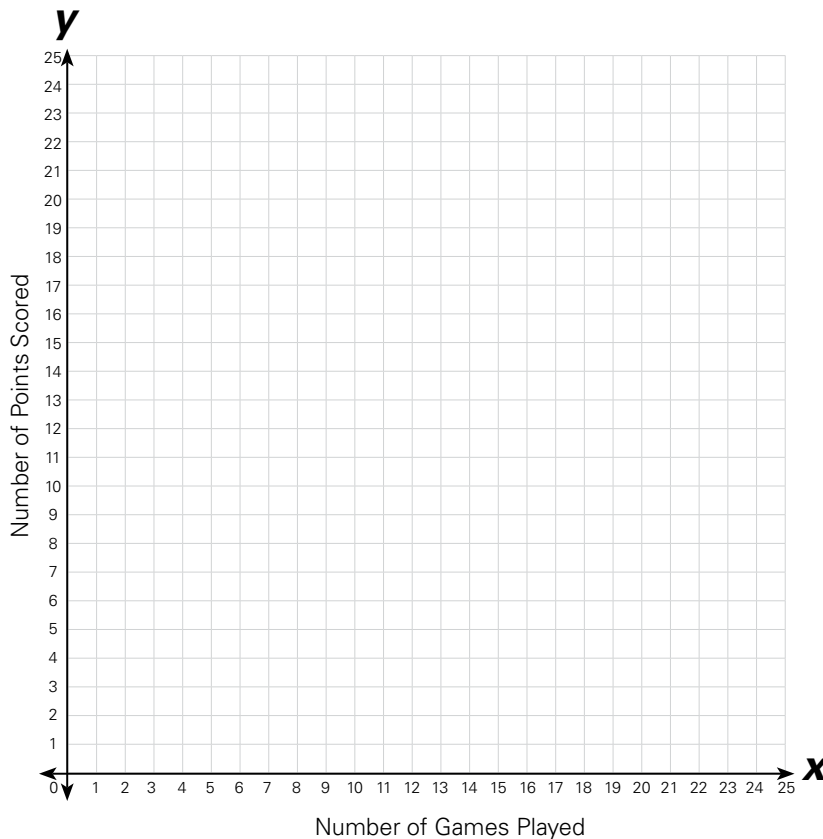
1. Ami scores 6 points every time she plays air hockey. Complete the table to show how many points she will have after each game if she plays 4 games.

Number of Games Played	Number of _____
0	
1	
2	

2. What are the arithmetic rules for the number of games and the points scored?

Number of Games \_\_\_\_\_ Number of Points Scored \_\_\_\_\_

3. Graph the relationship between the number of games played and the total points.



# Extra Practice: Frog Food

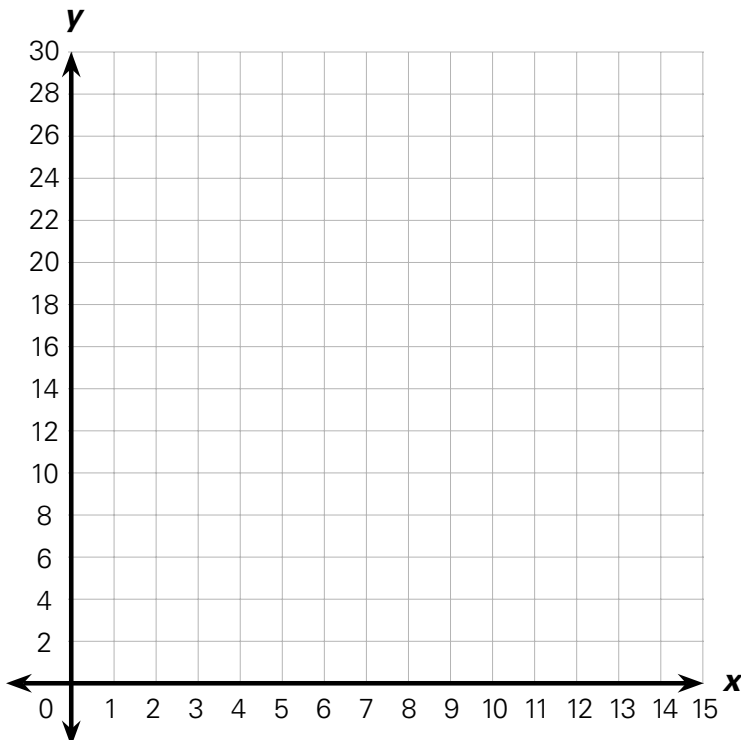
Complete the table and graph to solve the problem.

I want to earn money to buy the following foods for my frog, Frankie.

Food	Cost (dollars)
Crickets	10
Grasshoppers	16
Mealworms	22

I can earn money by selling the frog buttons I make. I make 4 dollars for every 2 buttons I sell. Complete the table and graph the ordered pairs on the coordinate plane.

Number of Buttons	Number of Dollars	Ordered Pair
0	0	(0, 0)
2	4	



What frog food can I buy for Frankie if I sell 8 buttons?

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# Bike Challenge

**Part 1:** Complete the ratio table and complete a **coordinate graph** on graph paper to model the problem.

1. Isis bikes 50 miles on the first day of the Bike Challenge. Her donors will contribute \$30 for every 10 miles she bikes. Complete the table to show how much money she will raise along the route.

Miles Biked ( $x$ )	Money Raised ( $y$ )
0	0
10	30
20	

**Part 2:** Use the graph you created to answer the questions.

2. What arithmetic rule describes the number pattern for miles biked? \_\_\_\_\_
3. What arithmetic rule describes the number pattern for money raised?  
\_\_\_\_\_
4. What arithmetic rule describes the relationship between  $x$  and  $y$ ? \_\_\_\_\_
5. What does the point (10, 30) on the graph represent? \_\_\_\_\_  
\_\_\_\_\_
6. What point represents the amount of money Isis raised at the end of the 50 miles?  
\_\_\_\_\_
7. How many miles must Isis ride to raise \$75? \_\_\_\_\_  
How do you know? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

# Race Pace

Review the example problem. Then answer the questions.

## Example

Isis starts the bike race and travels **6** miles every **1** hour. How long will it take for Isis to reach the 27-mile marker? Use a ratio table and coordinate graph to help you.

### Step 1

Identify the arithmetic rules and complete a ratio table.

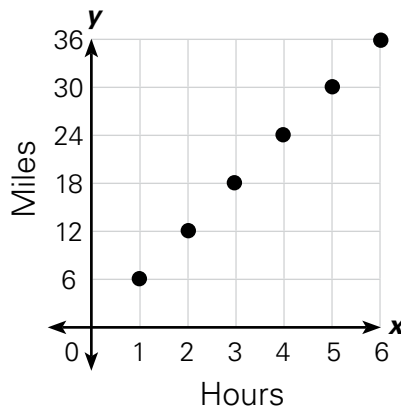
The rule for number of hours is **+1**.

The rule for number of miles is **+6**.

Number of Hours ( $x$ )	Number of Miles ( $y$ )
0	0
1	6
2	12
3	18
4	24
5	30
6	36

### Step 2

Plot the points on a coordinate graph.



### Step 3

Look for patterns in the graph and table to answer the question.

27 miles is halfway between 24 and 30 miles.

Isis will reach the 27-mile marker at a time halfway between 4 and 5 hours.

Isis will reach the 27-mile marker at 4 and  $\frac{1}{2}$  hours.

1. What does the point (3, 18) represent on the graph? \_\_\_\_\_  
\_\_\_\_\_
2. If Isis continues to ride 6 miles per hour, how far will she ride in 7 hours? \_\_\_\_\_
3. Today Isis stops at mile 54. How many hours did she ride today? \_\_\_\_\_
4. How many hours will it take Isis to complete the full 150-mile ride if she maintains her pace of 6 miles per hour? \_\_\_\_\_  
How do you know? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

# Lesson 4 Exit Ticket

Complete the ratio table and complete a **coordinate graph** on graph paper to answer the questions.

1. Gina competes in the Three-Day Bike Challenge. Her school's principal will donate \$20 for every 10 miles Gina bikes. Complete the ratio table for Gina's fundraising.

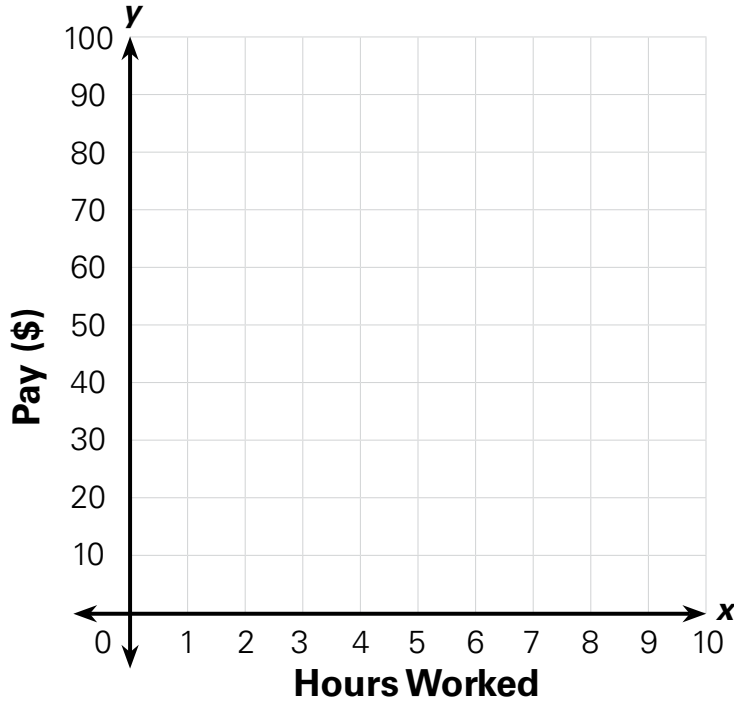
Miles Biked ( $x$ )	Money Raised ( $y$ )
0	0
10	

2. Draw a coordinate graph on graph paper.
3. What does the point (20, 40) on Gina's graph describe? \_\_\_\_\_  
\_\_\_\_\_
4. How far does Gina need to ride before she makes \$80? \_\_\_\_\_  
\_\_\_\_\_
5. What is the relationship between the miles biked and the money raised?  
\_\_\_\_\_  
\_\_\_\_\_
6. How much money will Gina raise for the full 150-mile ride? \_\_\_\_\_  
How do you know? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

# Extra Practice: Hourly Pay

Read the problem. Then plot the points on the graph and answer the questions.

1. Rae works at a pop-up store selling bags. She makes \$15 each hour. Graph Rae's pay for working 1 to 5 hours.



2. What does the point (1, 15) represent? \_\_\_\_\_

3. How much money would Rae earn if she works for 4 hours? \_\_\_\_\_

4. One Saturday Rae worked for 6 hours.

- a. What point on the graph would represent the money Rae earns for Saturday?

\_\_\_\_\_

- b. How much money did Rae earn on Saturday? \_\_\_\_\_

5. What arithmetic rule describes Rae's earnings? \_\_\_\_\_

\_\_\_\_\_  
\_\_\_\_\_

6. If Rae works 60 hours a month, how much money will she make in a month? \_\_\_\_\_

How do you know? \_\_\_\_\_

\_\_\_\_\_

# Reading Ace

Trinity is another reading ace. Look at the books she has read. Use **base-10 blocks** to model the number of pages in each book. Then answer the questions.

Title	Number of Pages
<i>Have You Seen My Toad?</i>	20
<i>The Great Gopher Chase</i>	100
<i>Jeffrey Jerbil: Rodent Detective</i>	200
<i>A History of Chocolate</i>	2,000

1. If Trinity reads *The Great Gopher Chase* 4 times, how many pages does she read?

a. Write the number of pages in *The Great Gopher Chase* as a product of factors of ten.

\_\_\_\_\_

b. Write an equation that finds the total number of pages Trinity reads.

\_\_\_\_\_ Trinity reads \_\_\_\_\_ pages.

2. How many pages does each book have? Write an equation using factors of 10 and powers of 10.

Book	Factors of 10	Powers of 10
<i>Have You Seen My Toad?</i>		$2 \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$
<i>Jeffrey Jerbil: Rodent Detective</i>		$2 \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$
<i>A History of Chocolate</i>		$2 \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$

a. How does the position of the digit 2 change in the numbers 20, 200, and 2,000?

\_\_\_\_\_

b. How does the value of 2 change in the numbers 20, 200, and 2,000?

\_\_\_\_\_

\_\_\_\_\_

# Stacks of Books

Answer the questions. Use **base-10 blocks** to help you model the problems.

1. Alex works at a bookstore. He is making stacks of books by page count so he can help customers find books that are just the right length for them. Complete each equation.

Stack 1	Stack 2
$5,000 = 5 \times$	$= 4 \times 10$
$500 = 5 \times$	$= 4 \times 10 \times 10$
$50 = 5 \times$	$= 4 \times 10 \times 10 \times 10$

Stack 3	Stack 4
$= 9 \times 10$	$2,000 = 2 \times$
$= 9 \times 10 \times 10$	$200 = 2 \times$
$= 9 \times 10 \times 10 \times 10$	$20 = 2 \times$

2. Write each number as an expression using powers of ten.

Thousands	Hundreds	Tens	Ones
		7	0
	7	0	0
7	0	0	0

Expression

Thousands	Hundreds	Tens	Ones
		3	0
	3	0	0
3	0	0	0

Expression

3. Complete the sentences.

When you multiply a number by 10, you shift each digit \_\_\_\_ place to the \_\_\_\_.

When you multiply a number by 100, you shift each digit \_\_\_\_ places to the \_\_\_\_.

When you multiply a number by 1,000, you shift each digit \_\_\_\_ places to the \_\_\_\_.

# Lesson 5 Exit Ticket

**Part 1:** Use **base-10 blocks** to model the problem. Then answer the questions.

1. Three people are packing books at a book warehouse. Each person puts 10 books in one box. Then, each person puts 10 boxes in one crate. Then, each person puts 10 crates on one warehouse shelf. How many books are in the warehouse?

Powers of 10 Expression	
3 boxes =	books
3 crates =	books
3 shelves =	books

There are \_\_\_\_\_ books in the warehouse.

2. Complete the equations.

$$2 \times 10 \times 10 \times 10 = \underline{\hspace{2cm}}$$

$$2 \times 10 = \underline{\hspace{2cm}}$$

$$2 \times \underline{\hspace{2cm}} = 200$$

**Part 2:** Think about patterns of zeros to help you complete the equations.

3. At the warehouse, Kira counts a book that has 7 pages in each copy. She counts ten boxes that each have ten copies of the book. What is the total number of pages in all these copies? Write an equation:

a. using factors of 10. \_\_\_\_\_

b. using powers of 10. \_\_\_\_\_

How do you know how many zeros will be in the product?

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# Extra Practice: Matching Powers of 10

Cut out a set of Matching Powers of 10 cards on pages 25–32. Shuffle the cards and lay them face down.

Play with a partner. On your turn, flip over three cards. Model the information on the cards with base-10 blocks. If the models match, keep the three cards and take another turn. If they don't match, turn the cards back over and let the other player have a turn.

Record the information on your matches below:

<b>Powers of 10</b>	<b>Standard Form</b>	<b>Word Description</b>



# Powers of 10

1

2

3

4

5

6

7

8

9

10

10

10

10

10

10

10

10

10

# Powers of 10

100

100

100

100

100

100

100

100

100

1,000

1,000

1,000

1,000

1,000

1,000

1,000

1,000

1,000

# Matching Powers of 10

$5 \times 10 \times 10$

50

one hundred  
times 7

$7 \times 1,000$

500

ten times 6

$5 \times 10$

5,000

one thousand  
times 6

$6 \times 100$

60

ten times 7

$7 \times 10 \times 10$

600

one hundred  
times 50

$6 \times 10$

6,000

ten times 50

# Matching Powers of 10

$5 \times 10 \times 10 \times 10$

70

ten times 5

$6 \times 10 \times 10 \times 10$

700

ten times 700

$7 \times 10$

7,000

one hundred  
times 6

# Bats a Fact

1. Complete the table to show different ways to represent the numbers. Make a **place value drawing** on a place value mat to help.

Standard Form	Expanded Form with Exponents	Word Form (with Exponents)
40		4 times 10 to the first power
	$4 \times 10^2$	4 times 10 to the second power
4,000	$4 \times 10^3$	
40,000		4 times 10 to the fourth power
	$4 \times 10^5$	
4,000,000		

2. Make **place value drawings** on a place value mat to model the expressions.

$$3 \times 10 \times 10$$

$$6 \times 10 \times 10 \times 10 \times 10$$

3. Find a pattern and use it to complete the equations.

$$9 \times 10^1 = 90$$

$$9 \times 10^2 = 900$$

$$9 \times 10^3 = \underline{\hspace{2cm}}$$

$$9 \times 10^4 = \underline{\hspace{2cm}}$$

$$9 \times 10^5 = \underline{\hspace{2cm}}$$

Describe the pattern you used to solve: \_\_\_\_\_

\_\_\_\_\_

# Lakefront Baseball League

Review the example problem. Then use a **powers of 10 chart** to help you answer the questions.

## Example

Gino orders  $4 \times 10^3$  baseballs for the Lakefront Baseball summer league. How many baseballs is that?

### Step 1

Identify the exponent.

The exponent is **3**.

### Step 2

The exponent tells how many factors. Write a power of 10 expression.

The exponent is **3**, so the expression has **3** powers of 10:

$$4 \times 10 \times 10 \times 10$$

### Step 3

How many zeros will be in the product? The digit moves to the left once for each 10.

$$4 \times \underline{10} \times \underline{10} \times \underline{10}$$

The digit will move to the left **3** times. So, there will be **3** zeros in the product.

	Thousands	Hundreds	Tens	Ones
				4
<b>× 10</b>			4	0
<b>× 10</b>		4	0	0
<b>× 10</b>	4	0	0	0

Gino orders 4,000 baseballs.

1. Sara, a manager for the Lakefront Baseball league, makes the following orders. How many of each item does she order? Write your answer in standard form.

Batting gloves       $7 \times 10^2$       Sara orders \_\_\_\_\_ batting gloves.

Mitts       $7 \times 10^3$       Sara orders \_\_\_\_\_ mitts.

Helmets       $7 \times 10^4$       Sara orders \_\_\_\_\_ helmets.

Baseballs       $7 \times 10^5$       Sara orders \_\_\_\_\_ baseballs.

2. Victoria sells snacks during the baseball games. She sells  $5 \times 10^4$  melon cups. Fill in the chart to show how many melon cups this is in standard form.

	Ten Thousands	Thousands	Hundreds	Tens	Ones
<b>× 10</b>					
<b>× 10</b>					
<b>× 10</b>					
<b>× 10</b>					

# Lesson 6 Exit Ticket

1. Complete the table to show different ways to represent the numbers.

Number	Exponential Expression	Word Form (with Exponents)
	$6 \times 10^1$	
800		
		2 times 10 to the fourth power
3,000		

2. Make a **place value drawing** on a place value mat to model the problem.

$$4 \times 10 \times 10 \times 10$$

3. Find a pattern and use it to complete the equations.

$$7 \times 10^1 = 70$$

$$7 \times 10^2 = \underline{\hspace{2cm}}$$

$$7 \times 10^3 = \underline{\hspace{2cm}}$$

$$7 \times 10^4 = \underline{\hspace{2cm}}$$

$$7 \times 10^5 = \underline{\hspace{2cm}}$$

What is the pattern? \_\_\_\_\_

\_\_\_\_\_  
\_\_\_\_\_

# Extra Practice: Jammin' in the Park

Read the problem. Then answer the questions.

Attendance for each concert in the Jammin' in the Park concert series is recorded below.

<b>Concert</b>	<b>Attendance</b>
Hip hop	$8 \times 10^3$
Classical	$7 \times 10^2$
Rock	$9 \times 10^1$
R&B	$6 \times 10^4$

1. Use a powers of 10 chart to show how many people attended each concert. Then write the total number in the table below.

<b>Concert</b>	<b>Attendance (in standard form)</b>
Hip hop	
Classical	
Rock	
R&B	

2. What expression shows how many people attended the R&B concert? Use factors of 10. \_\_\_\_\_
3. The attendance for the country music festival is 10 times as much as the R&B concert. What expression shows how many people attended the country music festival? Use factors of 10. \_\_\_\_\_
4. Write an exponential expression to represent the attendance for the country music festival. \_\_\_\_\_
5. How many people attended the country music festival? \_\_\_\_\_ people.



# Place Value Mat (Millions)

Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones

# Place Value Mat (Millions)

Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones

# Place Value Mat (Millions)

Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones

# Place Value Mat (Millions)

Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones

# Powers of 10 Charts

	Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							

	Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							

# Powers of 10 Charts

	Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							

	Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							

# Powers of 10 Charts

	Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							

	Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							
$\times 10$							

# Grid of Tens

	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
	10		10		10		10		10		10		10		10		10		10	
⊥	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+	—	+
└	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	⊥	—	┘



# Exponent Cards

$10^1$	$10^1$	$10^1$	$10^1$	$10^1$	$10^1$
$10^2$	$10^2$	$10^2$	$10^2$	$10^2$	$10^2$
$10^3$	$10^3$	$10^3$	$10^3$	$10^3$	$10^3$
$10^4$	$10^4$	$10^4$	$10^4$	$10^4$	$10^4$
$10^5$	$10^5$	$10^5$	$10^5$	$10^5$	$10^5$
$10^6$	$10^6$	$10^6$	$10^6$	$10^6$	$10^6$

# Assessment

# Unit 1 Assessment

Kai paints rocks to decorate a garden. He paints 5 rocks each minute for 5 minutes. Use this information to answer questions 1 and 2.

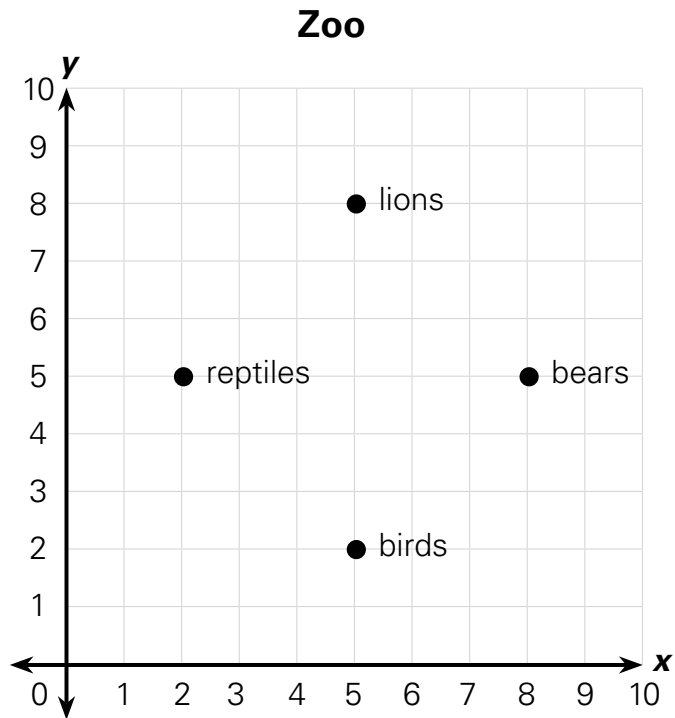
1. Draw a number line to show the number of rocks Kai has painted by the end of each minute.



2. Complete the table to show the number of rocks Kai has painted by the end of each minute.

<b>Time (Minutes)</b>	<b>Number of Rocks Painted</b>

Use the map of the zoo to answer questions 3 and 4.



3. Which animals are located at the points below?

Point	Animal
(5, 2)	
(8, 5)	

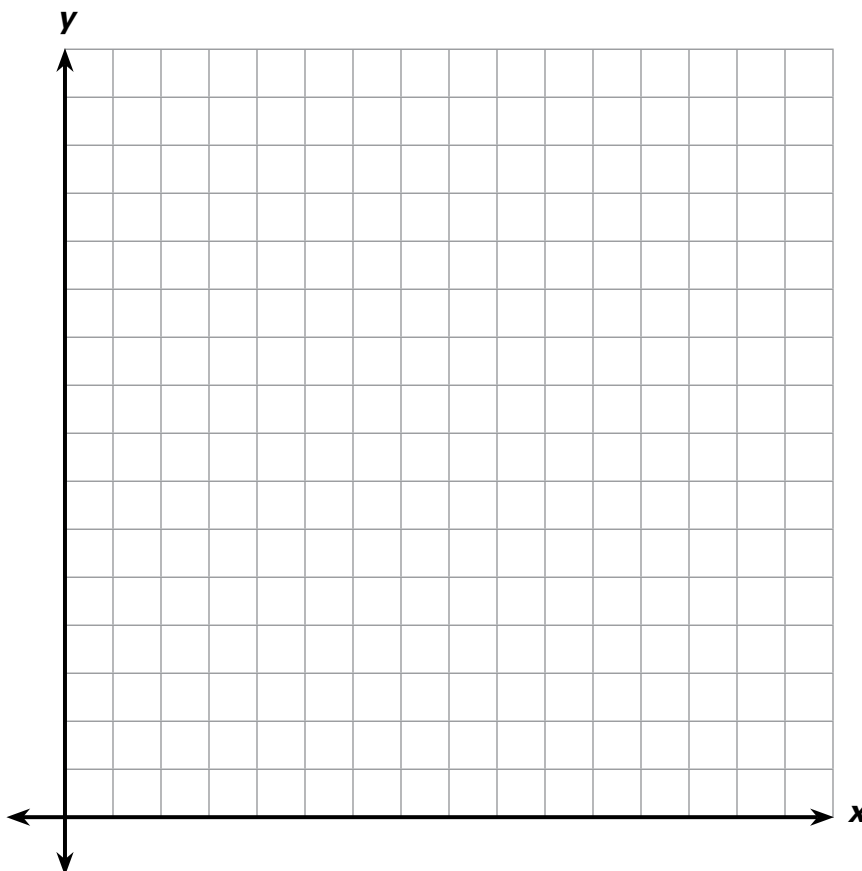
4. Write the ordered pair for the location of the lions. \_\_\_\_\_

Peter sells flowers for \$4 a bunch. On Saturday, he sells 4 bunches. Use this information to answer questions 5 and 6.

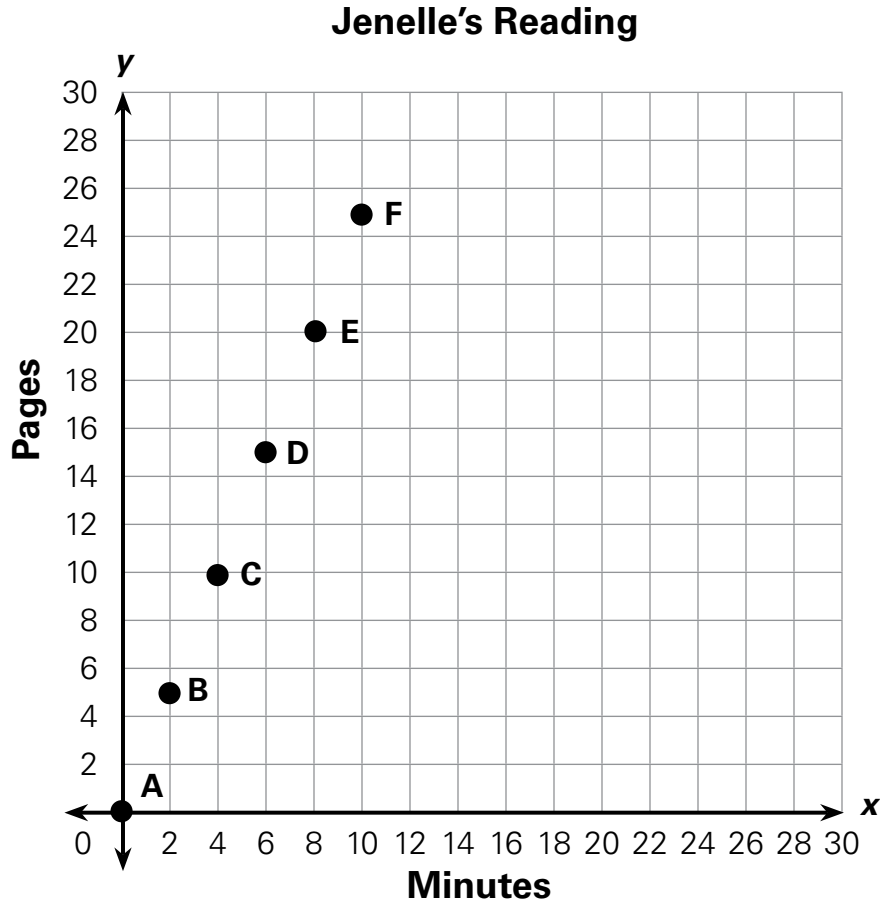
5. Complete the table to show how much money Peter makes after selling each bunch of flowers on Saturday. Then write the ordered pairs that describe where the information would appear on a coordinate plane.

<b>Number of Bunches</b>	<b>Money Earned (Dollars)</b>	<b>Ordered Pair</b>

6. Graph the points to show the relationship between the number of bunches of flowers and the amount of money Peter earned. Include a title, labels, and numbered axes.



The coordinate plane shows how many pages Jenelle reads every 2 minutes. Use the coordinate plane below to answer questions 7 and 8.



7. Complete the table. Then identify the arithmetic rule for each coordinate.

Point	Number of Minutes (x)	Number of Pages (y)
A		
B		
C		
D		
E		
F		

Arithmetic rule for x-coordinates: \_\_\_\_\_

Arithmetic rule for y-coordinates: \_\_\_\_\_

8. How long will it take Jenelle to read 100 pages? Explain how you know.

It will take Jenelle \_\_\_\_\_ minutes to read 100 pages. I know this because \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

9. Find the products.

$10 \times 7 = \underline{\hspace{2cm}}$

$10 \times 10 \times 7 = \underline{\hspace{2cm}}$

$10 \times 10 \times 10 \times 7 = \underline{\hspace{2cm}}$

$10 \times 10 \times 10 \times 10 \times 7 = \underline{\hspace{2cm}}$

What pattern do you notice? \_\_\_\_\_  
\_\_\_\_\_

10. Complete the table to show different ways to represent the numbers.

<b>Standard Form</b>	<b>Expanded Form with Exponents</b>
60	
	$6 \times 10^3$
	$6 \times 10^5$
6,000,000	



# Unit 1 Cumulative Review

1. Complete the tape diagram. Then solve the problem.

Ali played 4 songs on his guitar. Sasha played 3 times as many songs on her guitar. How many songs did Sasha play?

**Ali**

**Sasha**

Sasha played \_\_\_\_\_ songs.

2. Ted painted his bedroom in different colors. He painted  $1\frac{4}{6}$  walls blue and  $1\frac{3}{6}$  walls yellow. How much of his room has Ted painted?

Ted painted \_\_\_\_\_ of his bedroom walls.

3. Patsy and Jan each had a sandwich. Patsy ate  $\frac{2}{3}$  of her sandwich. Jan ate  $\frac{4}{8}$  of her sandwich. Who ate more of her sandwich?

\_\_\_\_\_ ate more of her sandwich.



4. Jake has 2 hours at the mall before his dad picks him up. He spends 20 minutes looking for a gift and 45 minutes shopping for sneakers. He also spends 15 minutes talking with friends. How much time does Jake have left to eat at the mall's food court?

Write an equation to model the problem. Use the variable  $t$  to show how much time Jake has left.

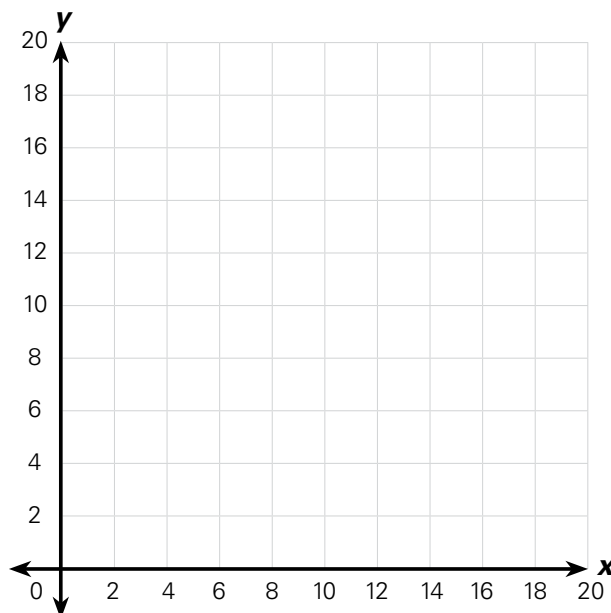
\_\_\_\_\_

$t =$  \_\_\_\_\_

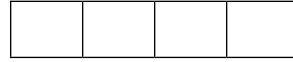
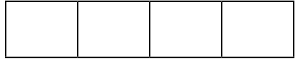
Jake has \_\_\_\_\_ minutes left.

5. Use arithmetic rules to complete the ratio table. Then plot the points on the coordinate plane.

<b>x-coordinate</b>	<b>y-coordinate</b>	<b>Ordered Pair</b>
0	0	(0, 0)
3	5	(3, 5)



6. Use the tape diagrams to multiply  $\frac{1}{4} \times 3$ .



$$\frac{1}{4} \times 3 = \underline{\hspace{2cm}}$$

7. Complete the equations.

$$8 \times 10 = \underline{\hspace{2cm}}$$

$$8 \times 100 = \underline{\hspace{2cm}}$$

$$8 \times 1,000 = \underline{\hspace{2cm}}$$

8. Write a decimal that is equal to  $\frac{7}{10}$ .

$$\frac{7}{10} = \underline{\hspace{2cm}}$$

9. Multiply.

$$\begin{array}{r} 2753 \\ \times \quad 5 \\ \hline \end{array}$$

10. List all the factors for 27.

\_\_\_\_\_

Is 27 a prime or composite number? \_\_\_\_\_

11. Solve  $22 \div 4$ .

\_\_\_\_\_ R \_\_\_\_\_

12. Use the distributive property to multiply  $36 \times 93$ . Use an area model to break apart the factors.

×



\_\_\_\_\_ + \_\_\_\_\_ + \_\_\_\_\_ + \_\_\_\_\_ = \_\_\_\_\_

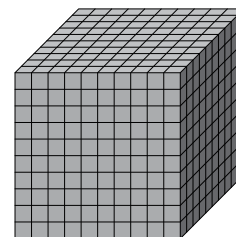
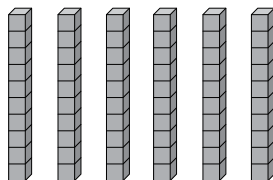
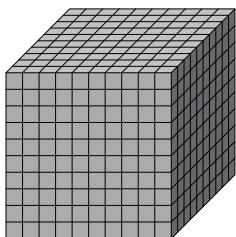
13. Find an equivalent fraction.

$$\frac{7}{8} = \underline{\hspace{2cm}}$$

14. Add.

$$\begin{array}{r} 12,561 \\ + \underline{7,735} \\ \hline \end{array}$$

15. Write the numbers. Which number is greater?



\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_ > \_\_\_\_\_

Unit 2:

# Decimals

# Garden Size

Use **place value disks** and a place value chart to multiply or divide. Then answer the questions.

1. Djivan makes a tomato garden in his backyard. The length of Djivan's tomato garden is 82 centimeters. Divide by 100 to write the length in meters.

Hundreds	Tens	Ones	.	Tenths	Hundredths
	8	2	.	0	0

$82 \div 100 =$  \_\_\_\_\_ meters = \_\_\_\_\_ tenths and \_\_\_\_\_ hundredths.

What is the value of the digit 2 in the number of centimeters? \_\_\_\_\_

What is the value of the digit 2 in the number of meters? \_\_\_\_\_

2. Larissa has a flower garden that is 2.92 meters long. Multiply by 100 to write the length in centimeters.

Hundreds	Tens	Ones	.	Tenths	Hundredths
		2	.	9	2

There are \_\_\_\_\_ tenths and \_\_\_\_\_ hundredths in 2.92.

$2.92 \times 100 =$  \_\_\_\_\_ centimeters

What is the value of the digit 9 in the number of centimeters? \_\_\_\_\_

What is the value of the digit 9 in the number of meters? \_\_\_\_\_

# Power-ful Multiplication

Review the example problem. Then use the place value charts to multiply and divide.

## Example

Djivan's garden hose is **5.01** meters long. Multiply by **100** to find the length of the hose in centimeters.

### Step 1

Write the number in a place value chart.

H	T	O	.	Tths	Hths
		5	.	0	1

Note how many times you need to multiply by 10:  
 $100 = 10 \times 10$

### Step 2

Shift each digit one place to the left each time you multiply by 10.

H	T	O	.	Tths	Hths
		5	.	0	1
	5	0	.	1	
5	0	1			

**5.01** meters  $\times$  **100** = 501 centimeters

### Step 3

Note how the value of the digits changed.

When converting meters to centimeters, the digit  $5 = 5$

After multiplying by 10, the digit  $5 = 50$

After multiplying by 100, the digit  $5 = 500$

### Step 4

To divide by 100, shift each digit one place to the right each time you divide by 10.

H	T	O	.	Tths	Hths
5	0	1	.		
	5	0	.	0	
		5	.	0	1

501 centimeters  $\div$  100 = **5.01** meters

1.  $0.62 \times 1,000 =$  \_\_\_\_\_ In 0.62, the digit 6 has a value of \_\_\_\_\_.

After multiplying 0.62 by 10 once, how does the value of the digit 6 change?

---

2.  $287 \div 100 =$  \_\_\_\_\_ In 287, the digit 7 has a value of \_\_\_\_\_.

After dividing 287 by 10 once, how does the value of the digit 7 change?

---

3.  $0.04 \times 1,000 =$  \_\_\_\_\_ In 0.04 the digit 4 has a value of \_\_\_\_\_.

After multiplying 0.04 by 10 once, how does the value of the digit 4 change?

---

# Lesson 8 Exit Ticket

Use **place value disks** or a place value chart to multiply or divide. Then answer the questions.

1.  $64 \div 100 =$  \_\_\_\_\_

Hundreds	Tens	Ones	.	Tenths	Hundredths

In 64, the digit 4 has a value of \_\_\_\_\_.

After dividing 64 by 10 once, how does the value of the digit 4 change?

---

How many tenths in the quotient? \_\_\_\_\_

How many hundredths in the quotient? \_\_\_\_\_

2.  $0.3 \times 1,000 =$  \_\_\_\_\_

Hundreds	Tens	Ones	.	Tenths	Hundredths

In 0.3, the digit 3 has a value of \_\_\_\_\_.

After multiplying 0.3 by 10 once, how does the value of the digit 3 change?

---

How many tenths in 0.3? \_\_\_\_\_

How many hundredths in 0.3? \_\_\_\_\_

# Extra Practice: Photo Mural

**Part 1:** Write whether the statements are *true* or *false*.

1. When you multiply a decimal number by 10, the digits move one place to the left in a place value chart. \_\_\_\_\_
2. A digit in the ones place has a value 10 times more than the same digit in the tenths place. \_\_\_\_\_
3. When you divide a number by a power of 10, you end up with a bigger number. \_\_\_\_\_
4. You can only use place value disks to model division, not multiplication by a power of 10. \_\_\_\_\_

**Part 2:** Use **place value disks** and chart to multiply and divide numbers by powers of 10 and answer questions.

5. Zoe paints a mural that is 753 inches long. She takes a photo of the finished mural. The photo is 100 times smaller than the mural. What is the length of the photo?

<b>Hundreds</b>	<b>Tens</b>	<b>Ones</b>	<b>.</b>	<b>Tenths</b>	<b>Hundredths</b>
7	5	3	.	0	0

The length of Zoe's photo is \_\_\_\_\_ inches.

6. Circle the decimals with an even number in the tenths place. Draw a box around the decimals with an even number in the hundredths place. Numbers may have both.

1,588.63                      975.14                      7.92                      327.25                      4,637.62

0.46                      26.82                      0.27                      6.54



# Place Value Charts

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

# Place Value Charts

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

Hundreds	Tens	Ones	.	Tenths	Hundredths
			.		
			.		
			.		
			.		

# Ice Is Nice

**Part 1:** Answer the questions to model decimal money amounts. Use **base-10 blocks** and  $10 \times 10$  grids.

Smooth Sliding Ice Rink is running a special for two people to skate for \$4.85. Regina and Nisay want to go skating. They have saved up all their pennies, but they're not sure how many pennies equal \$4.85.

1. How many whole dollars are in \$4.85? \_\_\_\_\_
2. Model the whole dollars using base-10 blocks. How many cents do your base-10 blocks represent? \_\_\_\_\_
3. Model 0.85 using base-10 blocks. How many pennies equal \$4.85? \_\_\_\_\_
4. Model \$4.85 using  $10 \times 10$  grids.

**Part 2:** Model the dollar amounts with base-10 blocks.

\$2.09

\$1.77

\$6.36

\$2.31

**Part 3:** Say how many dollars, cents, ones, and hundredths are in the number.

<b>\$4.51</b>	dollars	cents
<b>\$2.97</b>	dollars	cents
<b>\$8.05</b>	dollars	cents

<b>4.51</b>	ones	hundredths
<b>2.97</b>	ones	hundredths
<b>8.05</b>	ones	hundredths

**Part 4:** Write the amounts in decimal form.

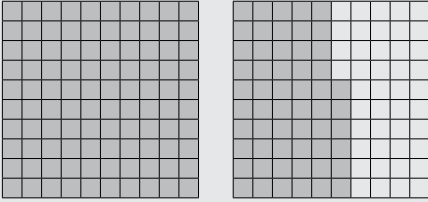
<b>Amount</b>	<b>Decimal Form</b>
1 and 78 hundredths	
5 and 3 hundredths	

# Money Grids

Review the example problem. Use **10 × 10 grids** to answer the questions.

## Example

How much money does the model represent?



### Step 1

Count the number of fully shaded grids. These each represent 1 dollar, or 100 cents.

1 fully shaded grid = 1 dollar

### Step 2

Count squares shaded in the other grids. Each full row or column represents 10 cents. Each square represents 1 cent.

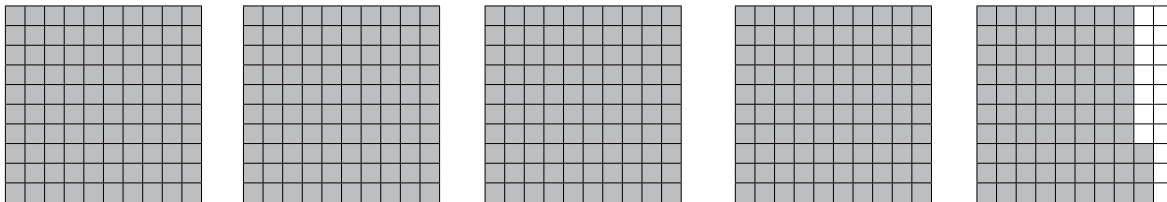
56 squares shaded = 56 cents

### Step 3

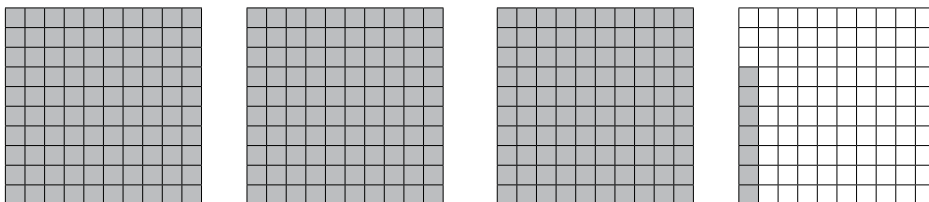
Write money as a decimal, with the whole dollars to the left of the decimal point and the cents to the right.

1 dollar and 56 cents = \$1.56

1. In decimal form, the amount of money modeled in the grids is \_\_\_\_\_.



2. In decimal form, the amount of money modeled in the grids is \_\_\_\_\_.



3. Model the dollar amounts below with 10 × 10 grids.

\$0.89

\$1.25

\$4.59

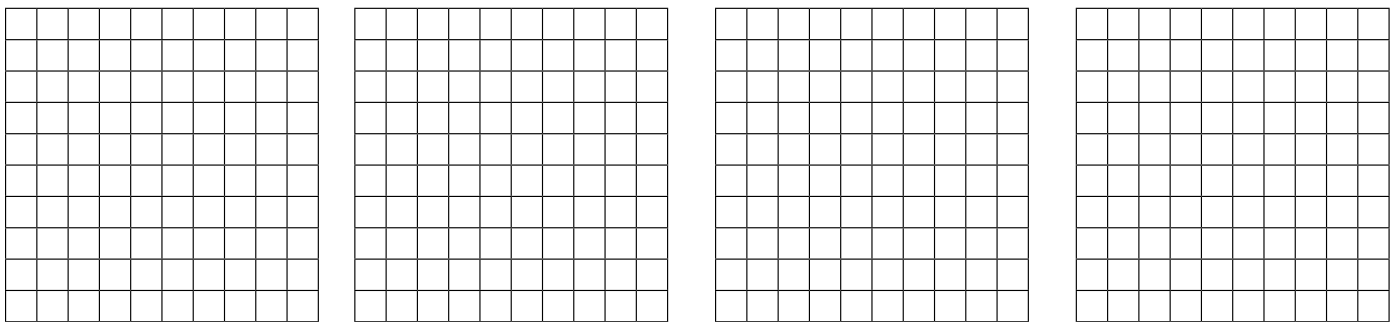
# Lesson 9 Exit Ticket

**Part 1:** Use **base-10 blocks** to model the decimal money amount.

1. \$1.75
2. \$2.09

**Part 2:** Shade the  $10 \times 10$  grids to model the given amount.

3. \$3.34



Four 10x10 grids are provided for modeling the decimal amount \$3.34. Each grid represents 100 hundredths (1 dollar). To model \$3.34, one would shade 3 entire grids (representing 3 dollars) and 34 small squares in the fourth grid (representing 34 cents).

**Part 3:** Answer the questions about money and decimals.

4. How many whole dollars and leftover cents are in \$8.91?

Dollars: \_\_\_\_\_ Cents: \_\_\_\_\_

5. How many ones and leftover hundredths are in 8.91?

Ones: \_\_\_\_\_ Hundredths: \_\_\_\_\_

6. What is 6 and 50 hundredths in decimal form? \_\_\_\_\_

7. What is 7 dollars and 6 cents in decimal form? \_\_\_\_\_

# Extra Practice:

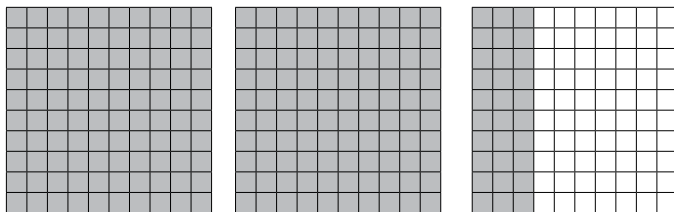
## Decimal Dollars and Cents

**Part 1:** Write whether the statements are *true* or *false*.

1. A dollar is  $1/100$  of a cent. \_\_\_\_\_
2. An entirely shaded  $10 \times 10$  grid represents 1 dollar. \_\_\_\_\_
3. The whole dollar parts are written to the left of the decimal point. \_\_\_\_\_
4. In a base-10 block model, 4 cents is represented by 4 tens rods. \_\_\_\_\_
5. There are 100 cents in 1 dollar. \_\_\_\_\_

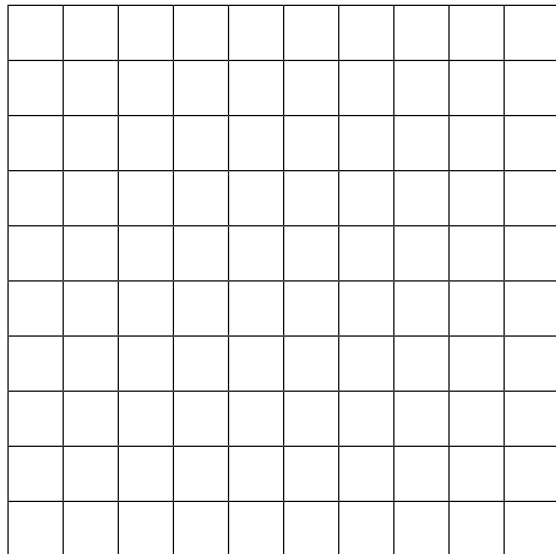
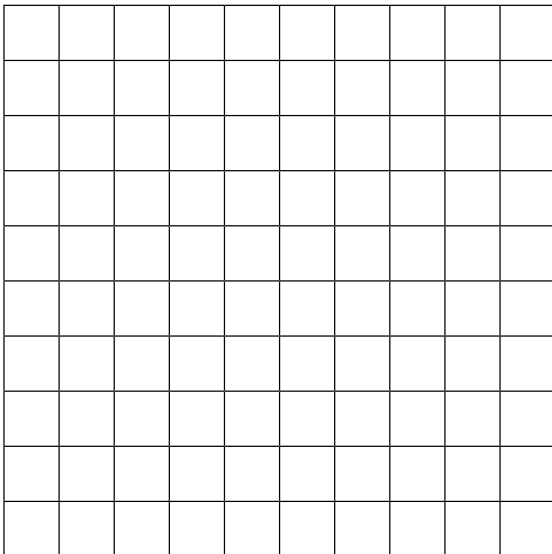
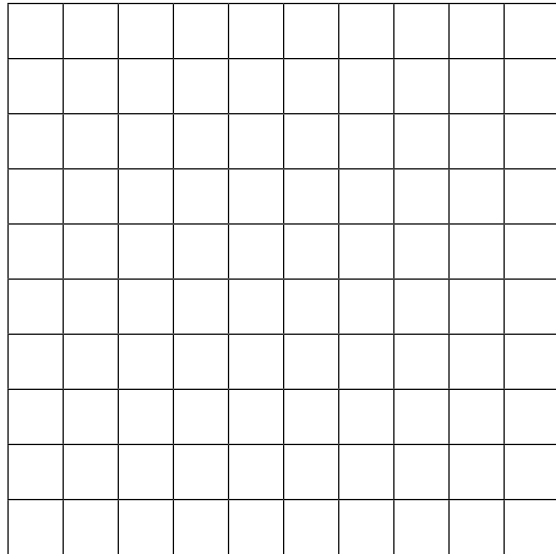
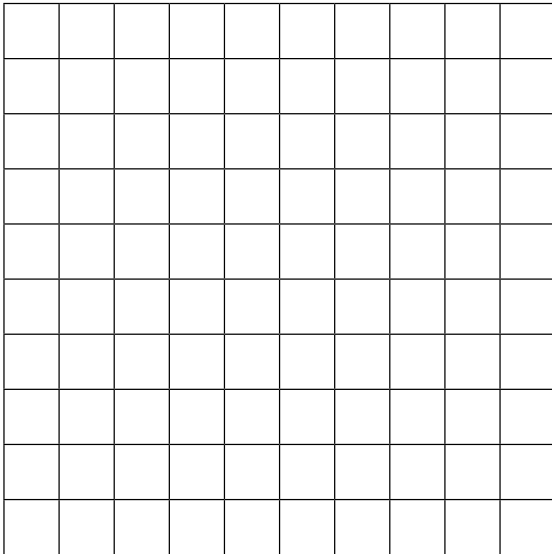
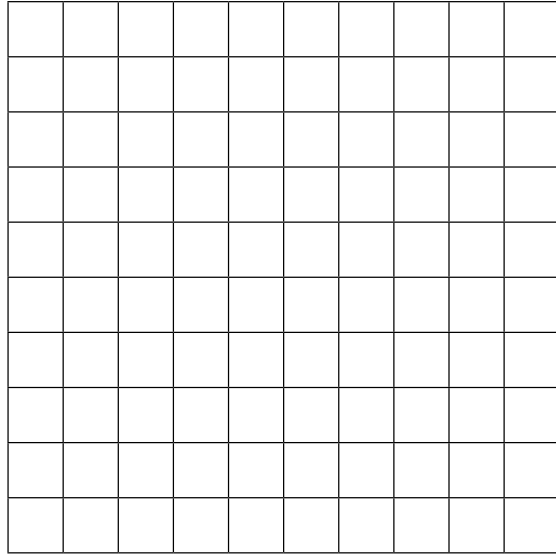
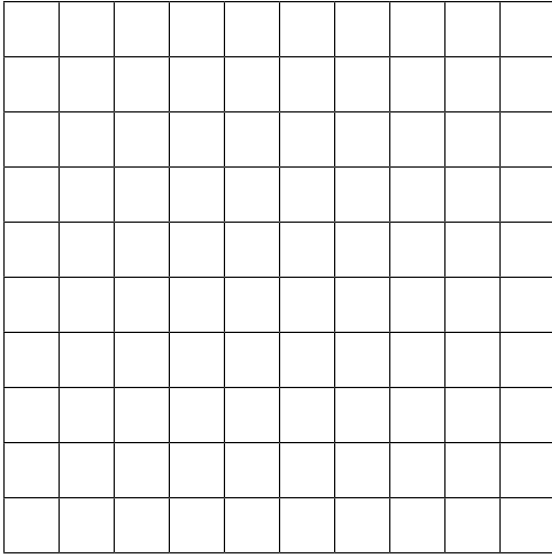
**Part 2:** Use **base-10 blocks** and  $10 \times 10$  grids to model decimal money amounts, identify the amount of money represented by a given model, and answer questions.

6. Isaiah wants to find out how many pennies equal \$3.09.
  - a. How many whole dollars are in \$3.09? \_\_\_\_\_
  - b. How many cents are in \$3.09? \_\_\_\_\_
  - c. Model \$3.09 using base-10 blocks.
  - d. There are \_\_\_\_\_ pennies in \$3.09.
7. What amount of money do the  $10 \times 10$  grids below represent? \_\_\_\_\_

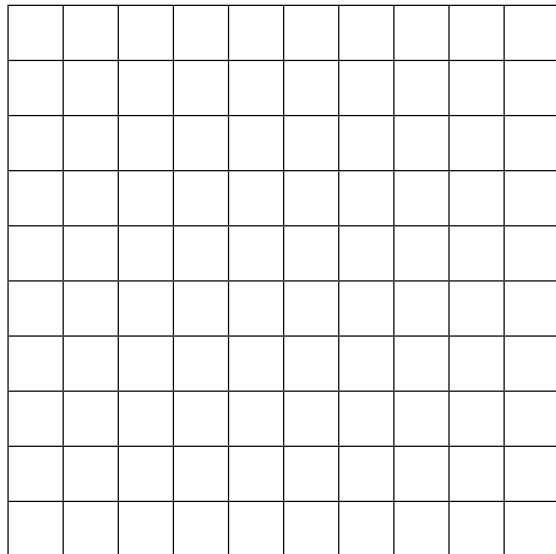
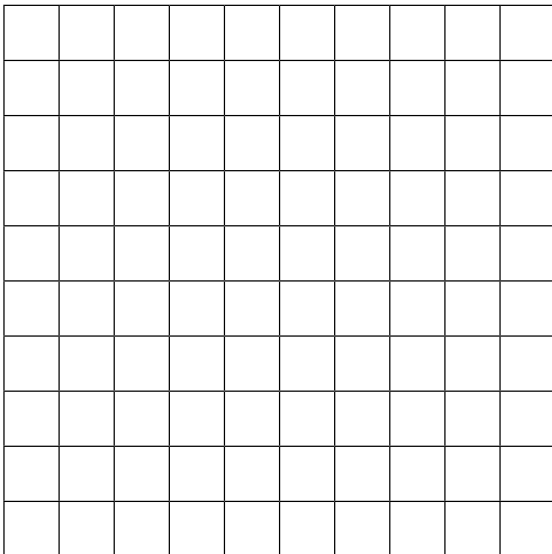
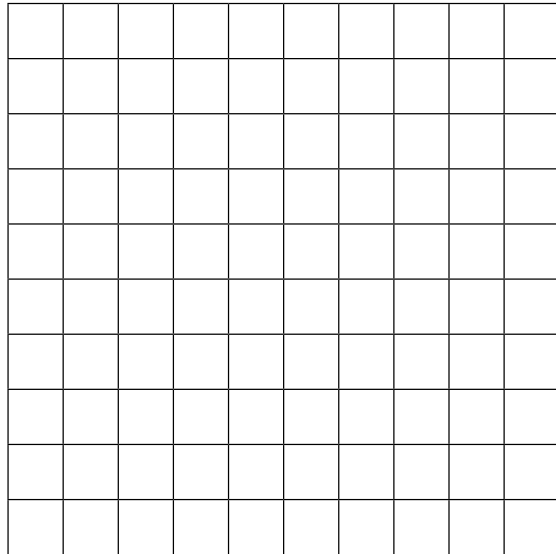
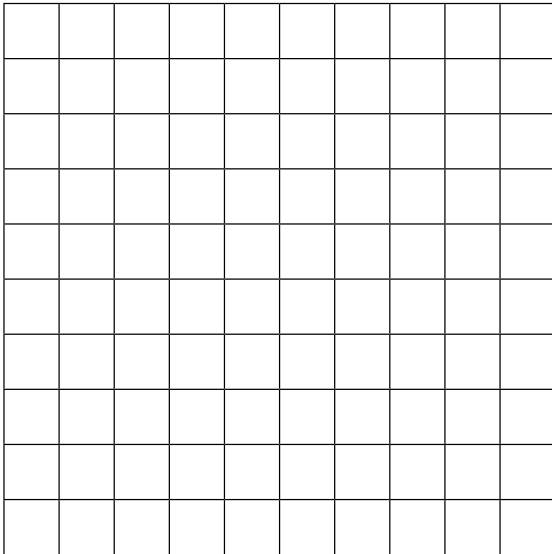
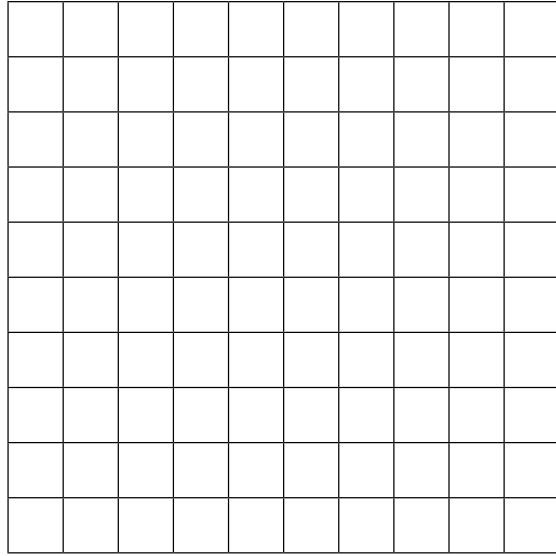
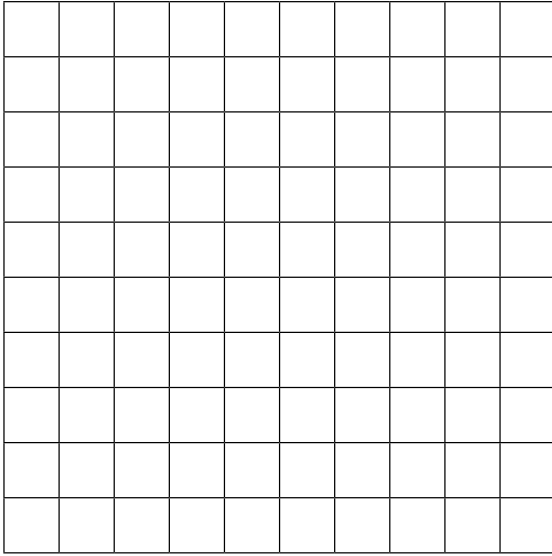


8. Geniah receives \$2.47 in change when she buys a slice of pizza.
  - a. How many whole dollars are in \$2.47? \_\_\_\_\_
  - b. How many cents are in \$2.47? \_\_\_\_\_
  - c. There are \_\_\_\_\_ pennies in \$2.47.

# 10 × 10 Grid

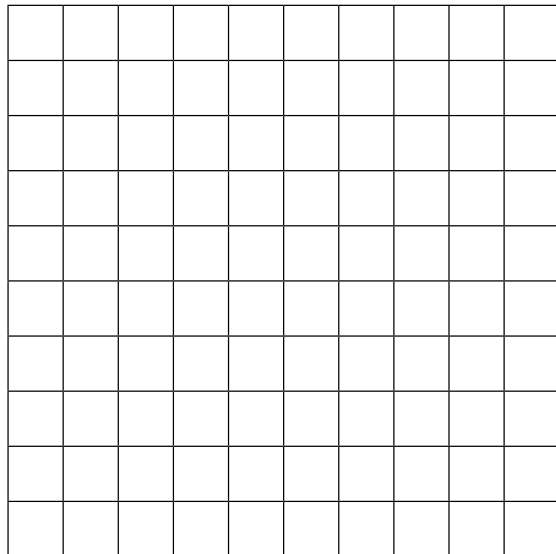
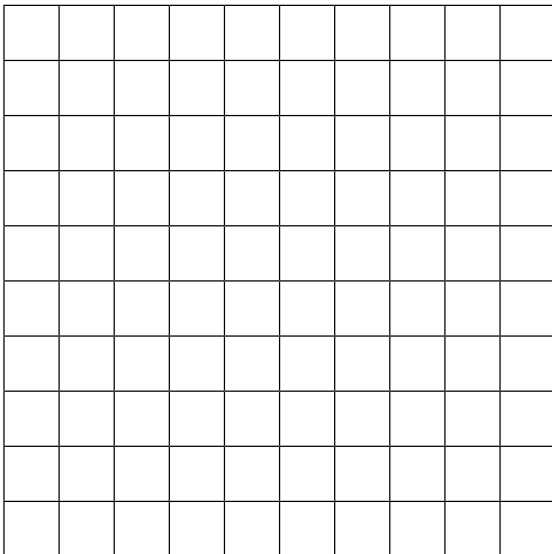
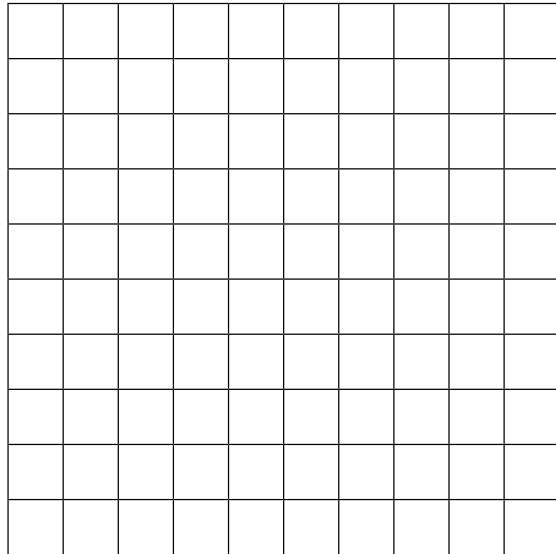
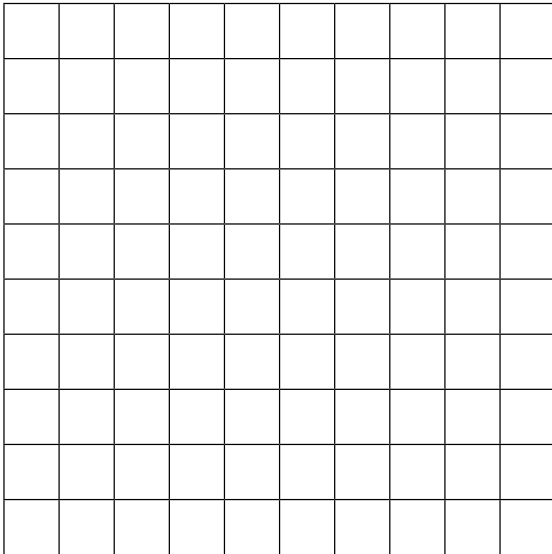
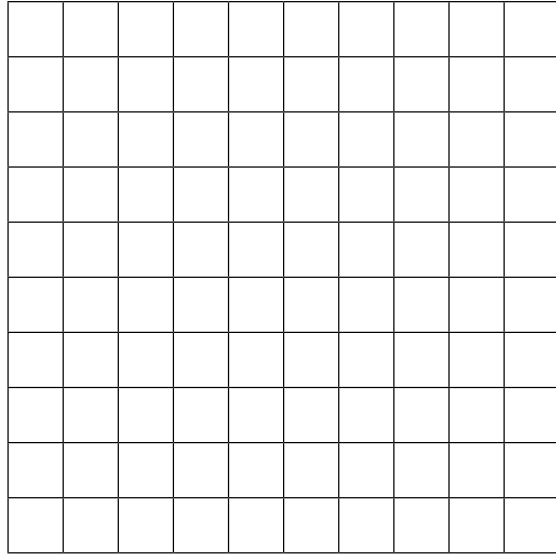
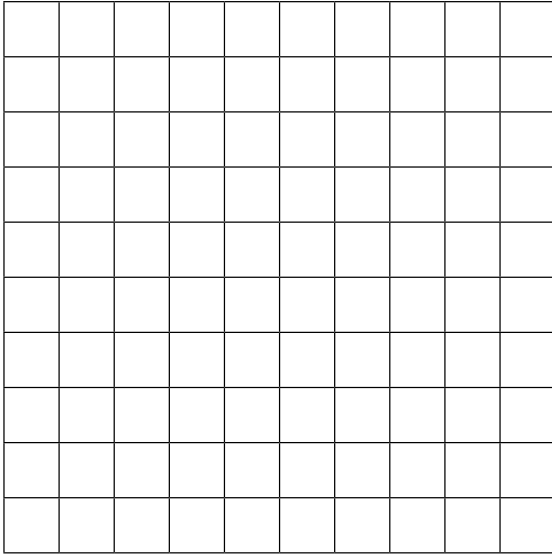


# 10 × 10 Grid

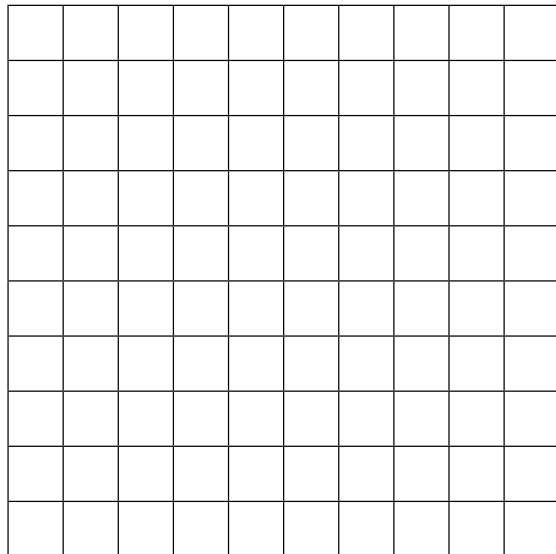
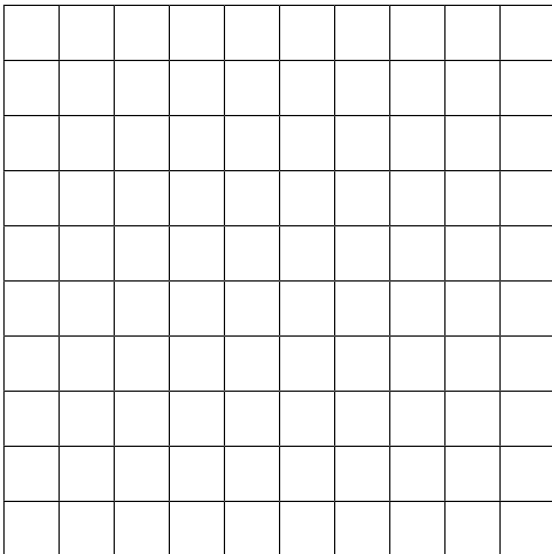
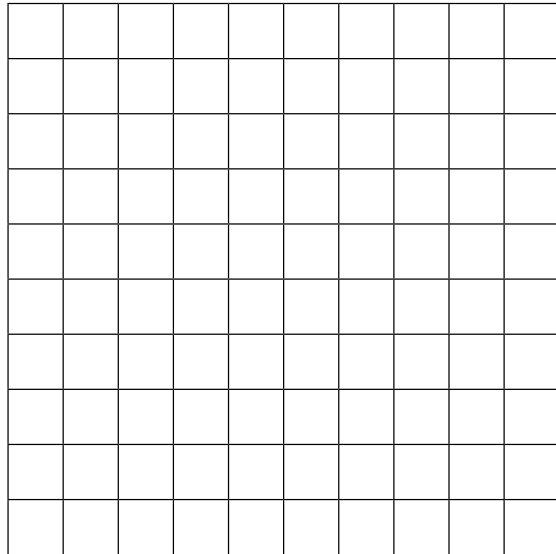
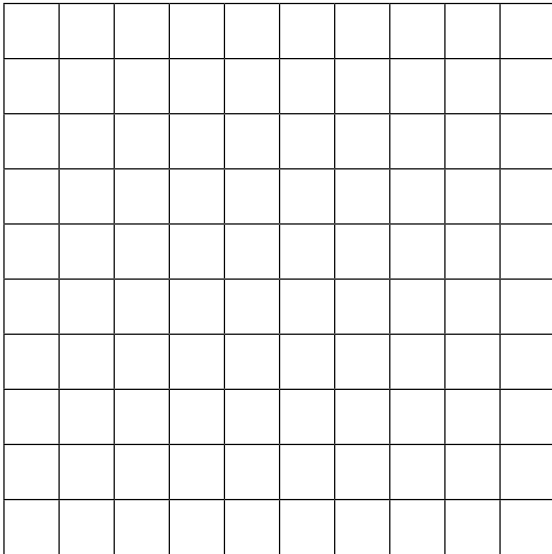
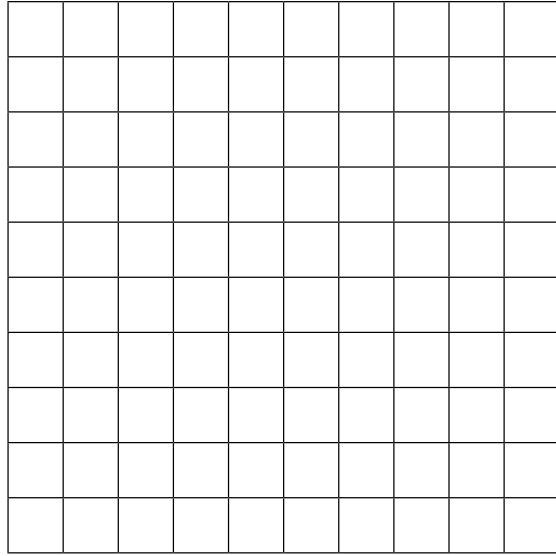
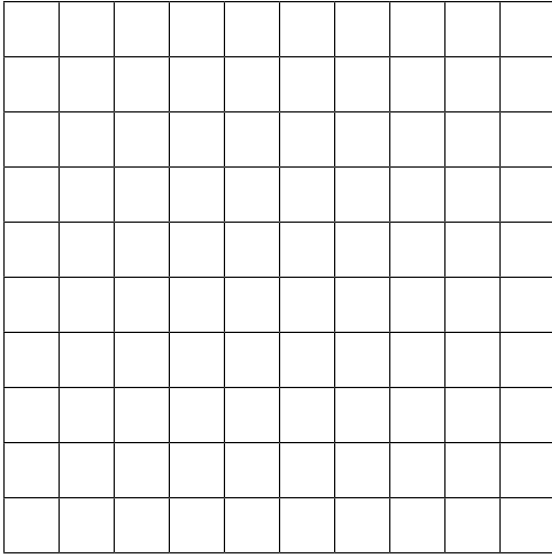




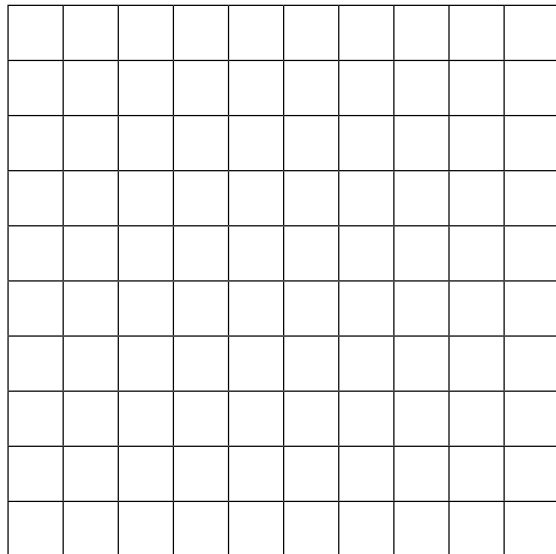
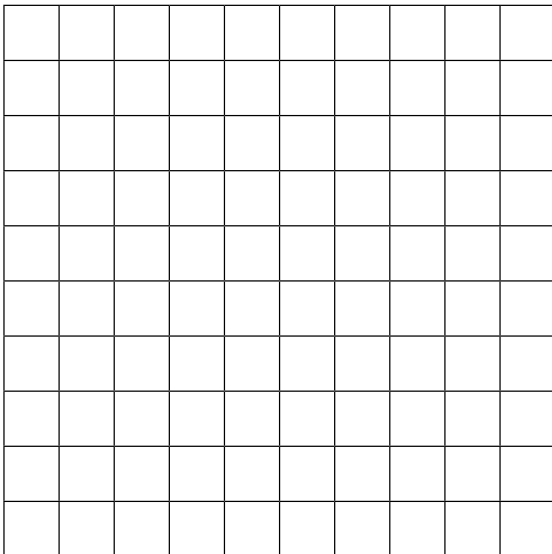
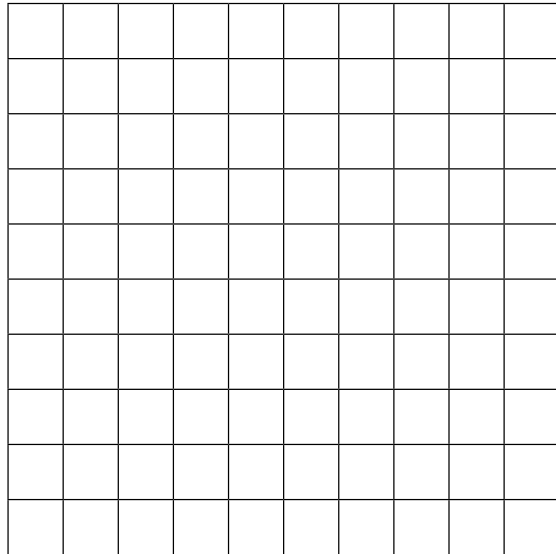
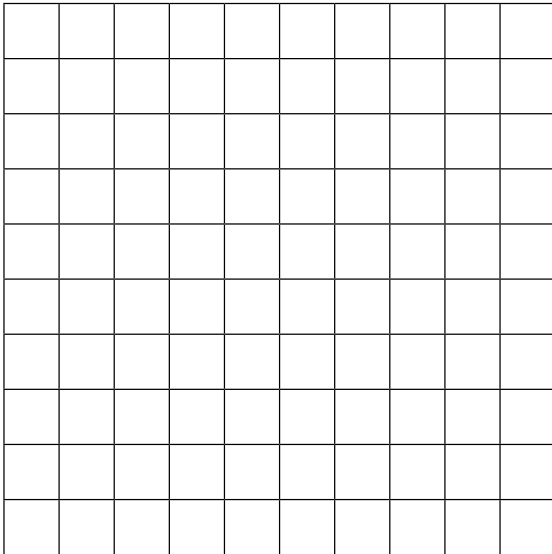
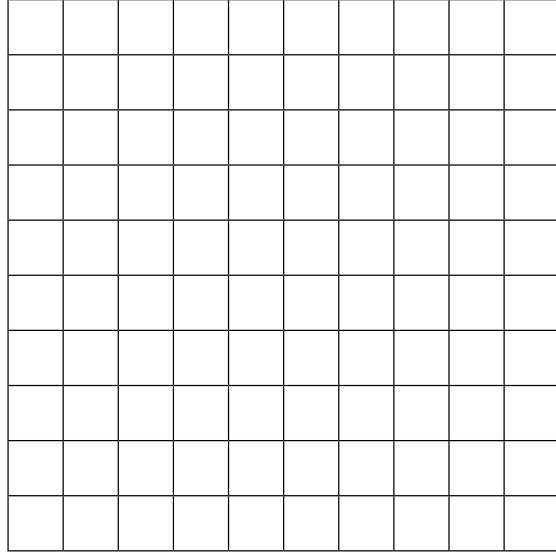
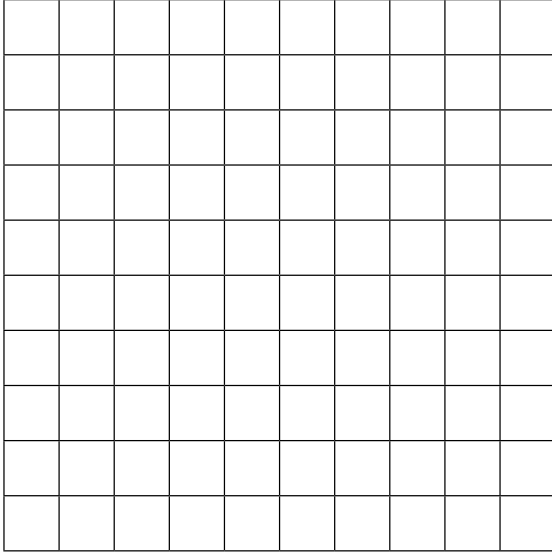
# 10 × 10 Grid



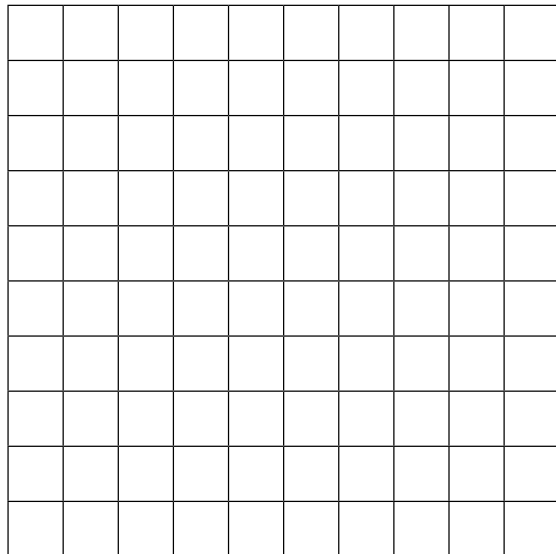
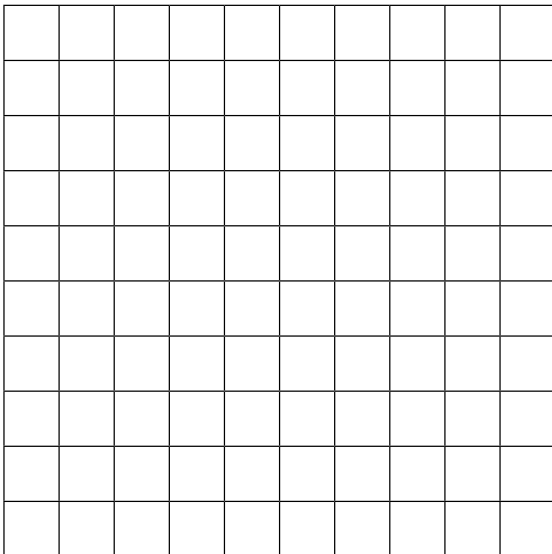
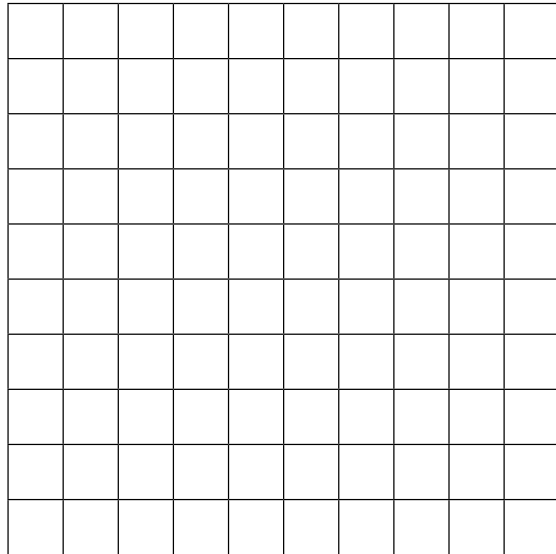
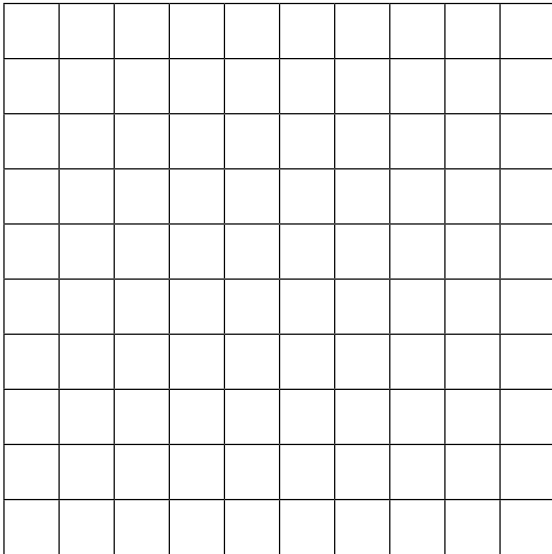
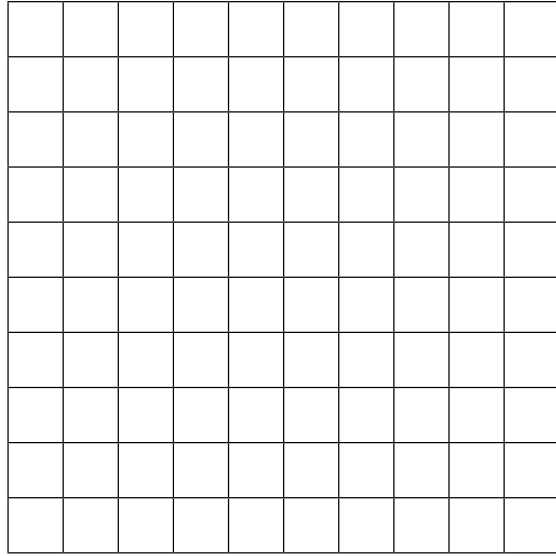
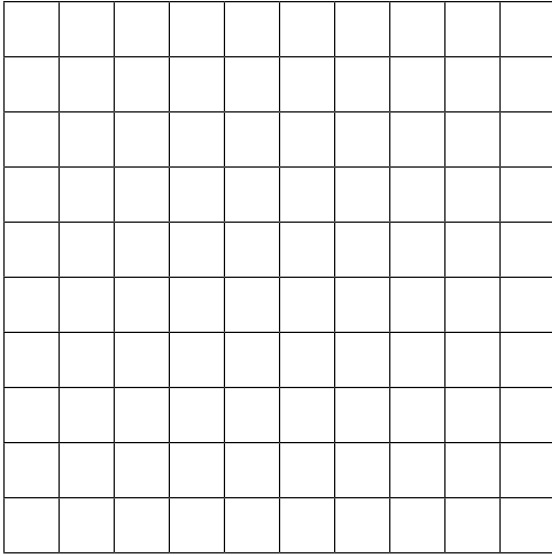
# 10 × 10 Grid



# 10 × 10 Grid



# 10 × 10 Grid



# No Rotten Apples

Use **place value disks** to model decimals, write decimals as fractions, and answer questions.

To make a batch of apple cider, the volunteers will need 14.375 pounds of apples. We want to know what this amount is as a fraction.

1. Write the pounds of apples in the place value chart.

Hundreds	Tens	Ones	.	Tenths	Hundredths	Thousandths

2. Model 14.375 using place value disks.
3. What would the denominator be if you made a fraction with the part of 14.375 after the decimal point? \_\_\_\_\_
4. Write 14.375 as a mixed number. \_\_\_\_\_
5. How would you write 14.375 using words?  
\_\_\_\_\_

Use **place value disks** to model the following decimals. Then read the numbers aloud.

6. 12.251
7. 7.890
8. 3.416

# Decimals to Fractions

Review the example problem. Write the decimal in a **place value chart** to help you read it and write it as a mixed number. You can use **place value disks** to help.

## Example

Read **2.347** and write it as a mixed number.

### Step 1

Write **2.347** in a place value chart. Make sure the digits are in the correct column.

Ones	.	Tenths	Hundredths	Thousandths
<b>2</b>	.	<b>3</b>	<b>4</b>	<b>7</b>

### Step 2

Group the values to the left and right of the decimal point and use the place value of the farthest right place to read the number.

**2.347** = two and three hundred forty-seven thousandths

### Step 3

To find the fractional part of the mixed number, use the farthest right place value as the denominator and the values to the right of the decimal point as the numerator. Combine with the value of all numbers to the left of the decimal point.

$$\frac{347}{1,000}$$

$$2.347 = 2 \frac{347}{1,000}$$

<b>5.921</b>	<b>504.42</b>
Word form: _____ _____	Word form: _____ _____
Mixed Number: _____	Mixed Number: _____
<b>2.055</b>	<b>19.352</b>
Word form: _____ _____	Word form: _____ _____
Mixed Number: _____	Mixed Number: _____

# Lesson 10 Exit Ticket

**Part 1:** Read the problem. Use **place value disks** to model decimals, write decimals as fractions, and answer questions.

Helena weighed her dog, Freckles, on a scale. Freckles weighed 36.824 pounds. Helena wants to know how much Freckles weighed as a fraction.

1. Model 36.824 using place value disks.
2. What is 36.824 as a mixed number with a fraction? \_\_\_\_\_

**Part 2:** Match the numbers decimals to their correct readings.

- 3.
- |       |   |
|-------|---|
| 4.612 | Four and sixty-two hundredths               |
| 4.621 | Four and six hundred twelve thousandths     |
| 4.62  | Four and twelve hundredths                  |
| 4.061 | Four and sixty-one thousandths              |
| 4.12  | Four and six hundred twenty-one thousandths |

**Part 3:** Write each decimal as a mixed number with a fraction.

4. 28.536 \_\_\_\_\_
5. 7.412 \_\_\_\_\_
6. 16.83 \_\_\_\_\_

# Extra Practice: Quilt Fabric

**Part 1:** Write the following decimals in word form.

1. 0.756 \_\_\_\_\_

2. 6.219 \_\_\_\_\_

3. 1.67 \_\_\_\_\_

**Part 2:** Use place value disks to model decimals, write decimals as fractions, and answer questions.

4. Deena needs 2.875 yards of several different fabrics to make her quilt.

a. Model 2.875 using place value disks.

b. What are the numerator and denominator for the fraction part of this decimal?

Numerator: \_\_\_\_\_ Denominator: \_\_\_\_\_

c. What is 2.875 written as a mixed number with a fraction? \_\_\_\_\_

**Part 3:** Write each decimal as a mixed number with a fraction.

5. 59.62 \_\_\_\_\_

6. 84.735 \_\_\_\_\_

7. 3.916 \_\_\_\_\_

8. 4.58 \_\_\_\_\_

9. 25.169 \_\_\_\_\_



# Decimal Place Value Charts (Thousandths)

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

# Decimal Place Value Charts (Thousandths)

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

# Shake It Up

**Part 1:** Use a place value chart and **place value disks** to model decimals, write decimals in expanded form, and answer questions.

Hideki is doing his report on rattlesnakes. He saw a huge rattlesnake at the zoo named Shakes. According to the sign by the cage, Shakes was 236.91 centimeters long. Hideki wants to write Shakes' length in expanded form.

1. Write Shakes' length in the place value chart.

Hundreds	Tens	Ones	.	Tenths	Hundredths	Thousandths

2. Write 236.91 in words. \_\_\_\_\_  
\_\_\_\_\_

3. Write the expressions used for writing 236.91 in expanded form.

4. Write Shakes' length in expanded form.  
\_\_\_\_\_

**Part 2:** Model the decimals with **place value disks** and write them in expanded form.

Decimal	Expanded Form
854.909	
83.665	
6,503.53	

# Expanded Decimals

Review the example problem. Write the decimals in expanded form. Use a **place value chart** to help.

## Example

Write **84.396** in expanded form.

### Step 1

Write **84.396** in a place value chart.

Tens	Ones	.	Tenths	Hundredths	Thousandths
<b>8</b>	<b>4</b>	.	<b>3</b>	<b>9</b>	<b>6</b>

### Step 2

Multiply each digit in **84.396** by the value of a unit in that place value.

$$8 \times 10 \quad 4 \times 1 \quad 3 \times \frac{1}{10} \quad 9 \times \frac{1}{100} \quad 6 \times \frac{1}{1,000}$$

### Step 3

Write the expanded form as the sum of partial products.

$$84.396 = (8 \times 10) + (4 \times 1) + (3 \times \frac{1}{10}) + (9 \times \frac{1}{100}) + (6 \times \frac{1}{1,000})$$

1. 26.754 \_\_\_\_\_

2. 25.42 \_\_\_\_\_

3. 29.182 \_\_\_\_\_

4. 40.169 \_\_\_\_\_

5. 98.946 \_\_\_\_\_

6. 70.631 \_\_\_\_\_

7. 21.21 \_\_\_\_\_

# Lesson 11 Exit Ticket

**Part 1:** Use **place value disks** to model each number.

1. 748.329

2. 76.514

3. 1.003

4. 2.19

**Part 2:** Write each number in expanded form.

5. 39.57 \_\_\_\_\_

6. 529.368 \_\_\_\_\_

7. 41.256 \_\_\_\_\_

8. 94.372 \_\_\_\_\_

# Extra Practice: A Close Race

**Part 1:** Use a place value chart and **place value disks** to model decimals and write decimals in expanded form.

Sigal's brother Zev once had a running race that he won by 23.64 centimeters.

1. Write the distance in the place value chart.

Tens	Ones	.	Tenths	Hundredths	Thousandths

2. Model 23.64 using place value disks.

3. What is the expanded form of 23.64?

---

**Part 2:** Write each number in expanded form.

4. 192.85 \_\_\_\_\_

5. 629.413 \_\_\_\_\_

6. 84.259 \_\_\_\_\_

7. 31.428 \_\_\_\_\_

# Decimal Place Value Charts (Thousandths)

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

# Decimal Place Value Charts (Thousandths)

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			



# Decimal Place Value Charts (Thousandths)

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

# Decimal Place Value Charts (Thousandths)

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

Hundreds	Tens	Ones		Tenths	Hundredths	Thousandths
			.			
			.			

# Running Races

**Part 1:** Use **place value disks** to compare decimal numbers, write comparison number sentences, and answer questions.

The table shows race times for students who participated in the 50-yard dash.

Student	Race Time (seconds)
Abby	7.72
Jesse	8.194
Ricky	7.7
Lauren	8.483

1. Model Lauren's and Jesse's race times using place value disks on a place value mat.

2. In which place do you begin comparing place value disks?

3. Explain how to compare Lauren's and Jesse's times using the disks.

4. Which race time is greater (slower)? Write a comparison number sentence.

\_\_\_\_\_

**Part 2:** Compare numbers digit by digit. You may use a place value chart to help.

5. Write a comparison number sentence for Abby's and Ricky's race times.

\_\_\_\_\_

6. Write a comparison number sentence for Ricky and Jesse's race times.

\_\_\_\_\_

# Comparison Practice

Review the example problem. Use digit comparison to compare decimal numbers. Then write a greater than or less than symbol to complete the comparison number sentence.

## Example

Compare digits in **13.45** and **13.62** to determine which number is greater.

### Step 1

Write both numbers in a place value chart with numbers aligned at the decimal point or write the numbers on top of each other. Be sure to line them up with the decimal.

Tens	Ones	.	Tenths	Hundredths
1	3	.	4	5
1	3	.	6	2

### Step 2

Begin comparing digits on the left and move to the right until the digits in the same place are different.

- Tens place: both digits are 1
- Ones place: both digits are 3
- Tenths place: digits are 4 and 6

### Step 3

Use the digit that is greater to indicate the number that is greater.

Since 6 is greater than 4,  
**13.62** is greater than **13.45**.

### Step 4

Write a comparison sentence using the greater than or less than symbol.

**13.62 > 13.45**

1.  $81.627 \bigcirc 83.456$

			.			
			.			

3.  $29.039 \bigcirc 29.46$

			.			
			.			

5.  $79.53 \bigcirc 264.79$

			.			
			.			

7.  $98.613 \bigcirc 98.43$

			.			
			.			

2.  $674.56 \bigcirc 67.56$

			.			
			.			

4.  $43.29 \bigcirc 43.293$

			.			
			.			

6.  $77.942 \bigcirc 77.07$

			.			
			.			

8.  $176.4 \bigcirc 176.34$

			.			
			.			

# Lesson 12 Exit Ticket

**Part 1:** Use **place value disks** to compare the decimal numbers

1. Ricky and Quinn competed in the 50-meter dash. Ricky's time was 8.12 seconds and Quinn's time was 8.19. Who took more time to finish the race?

\_\_\_\_\_ took more time to finish the race.

**Part 2:** Use digit comparison to compare the numbers. Then write a comparison for each pair using the greater than or less than symbol.

2. 68.52 and 68.341


Comparison: \_\_\_\_\_

3. 9.465 and 9.497


Comparison: \_\_\_\_\_

4. 10.802 and 12.801


Comparison: \_\_\_\_\_

# Extra Practice: Decimal Compare

Cut out the Decimal Compare cards on page 97. Paste a number card into each box to make the comparisons true. Use **place value disks** or digit comparison to compare the numbers.

	>	
	>	
	>	
	>	
	>	
	>	

# Decimal Place Value Charts (Thousandths)

Ones		Tenths	Hundredths	Thousandths
	.			
	.			

Ones		Tenths	Hundredths	Thousandths
	.			
	.			

Ones		Tenths	Hundredths	Thousandths
	.			
	.			

# Decimal Place Value Charts (Thousandths)

Ones		Tenths	Hundredths	Thousandths
	.			
	.			

Ones		Tenths	Hundredths	Thousandths
	.			
	.			

Ones		Tenths	Hundredths	Thousandths
	.			
	.			



# Decimal Compare Cards

<b>25.973</b>	<b>25.915</b>	<b>25.62</b>
<b>25.26</b>	<b>25.903</b>	<b>25.93</b>
<b>25.79</b>	<b>25.72</b>	<b>25.51</b>
<b>25.44</b>	<b>25.718</b>	<b>25.486</b>

# Flying Fish from Mars

**Part 1:** Use **place value disks** to round decimal numbers and answer questions.

1. I have been selling my comic, Flying Fish from Mars, during lunchtime at school. I figured out that, after I subtract expenses, I earn \$0.218 for every comic I sell. How much do I earn, to the nearest cent?
  - a. Model \$0.218 using place value disks.
  - b. To round to the nearest hundredth, which place should you look at to determine if you round up or round down? \_\_\_\_\_
  - c. What is \$0.218 rounded to the nearest hundredth? \_\_\_\_\_
2. I need to buy plastic bags to protect the comic books. The label on the bags say they are 9.281 inches long. I'd like to round up to make sure my comic book fits inside. How long are the bags, to the nearest tenth?
  - a. Model 9.281 using place value disks.
  - b. To round to the nearest tenth, which place should you look at to determine if you round up or round down? \_\_\_\_\_
  - c. What is 9.281 rounded to the nearest tenth? \_\_\_\_\_

**Part 2:** Use rounding rules to round decimal numbers.

3. Round 7.423 to the nearest tenth. \_\_\_\_\_
4. Round 12.92 to the nearest one. \_\_\_\_\_
5. Round 1.293 to the nearest hundredth. \_\_\_\_\_

# Round and Round

Review the example problem. Use rounding rules to round decimal numbers. You may use **place value disks** to help.

## Example

Round **52.617** and **56.217** to the nearest one using rounding rules.

### Step 1

Underline the place you are rounding to.

5 6 . 6 1 7      5 6 . 2 1 7

### Step 2

Circle the digit to the right of the place you are rounding to.

5 6 . 6 1 7      5 6 . 2 1 7

### Step 3

If the circled digit is 5 or greater, round up by increasing the underlined digit by 1. Each digit to the right changes to 0.

5 6 . 6 1 7

Since 6 is greater than 5, I round up:  $57.000 = 57$

### Step 4

If the circled digit is 4 or less, round down by keeping the underlined digit the same. Each digit to the right changes to 0.

5 6 . 2 1 7

Since 2 is less than 5, I round down:  $56.000$ .

1. 3.427 to the nearest tenth is

\_\_\_\_\_.

2. 9.128 to the nearest hundredth is

\_\_\_\_\_.

3. 12.408 to the nearest one is

\_\_\_\_\_.

4. 183.92 to the nearest one is

\_\_\_\_\_.

5. 627.04 to the nearest tenth is

\_\_\_\_\_.

6. 8,871.5 to the nearest one is

\_\_\_\_\_.

7. 35.567 to the nearest hundredth is

\_\_\_\_\_.

8. 14.963 to the nearest hundredth is

\_\_\_\_\_.

9. 532.86 to the nearest tenth is

\_\_\_\_\_.

10. 36.95 to the nearest tenth is

\_\_\_\_\_.

# Lesson 13 Exit Ticket

**Part 1:** Use **place value disks** to round the decimal numbers.

1. 56.492 to the nearest hundredth is \_\_\_\_\_.

2. 3.256 to the nearest tenth is \_\_\_\_\_.

**Part 2:** Use rounding rules to round the decimal numbers.

3. 547.12 to the nearest one is \_\_\_\_\_.

4. 29.185 to the nearest tenth is \_\_\_\_\_.

5. 57.397 to the nearest hundredth is \_\_\_\_\_.

# Extra Practice: Stretching Toward the Sun

**Part 1:** Use place value disks to round decimals and answer questions.

1. Young-hee measured a sunflower in her backyard using a digital measuring tape. The sunflower's height was 38.513 inches. She wants to round the height to the nearest hundredth.

a. Explain how you determine whether to round up or round down.

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---

---

b. 38.513 rounded to the nearest hundredth is \_\_\_\_\_.

**Part 2:** Determine if the number will round up or round down.

2. 22.854 to the nearest one \_\_\_\_\_

3. 0.53 to the nearest tenth \_\_\_\_\_

4. 176.928 to the nearest hundredth \_\_\_\_\_

**Part 3:** Use rounding rules to round each number to the specified place

5. 0.865 to the nearest hundredth \_\_\_\_\_

6. 437.36 to the nearest one \_\_\_\_\_

7. 608.4 to the nearest ten \_\_\_\_\_

# Secret Message

Tia's mom and dad left a secret message for Tia to solve. The message tells Tia some exciting news. Round each number in the message to the nearest tenth using rounding rules. Then use the code to write the secret message.

<b>A</b>	<b>6.7</b>
<b>B</b>	<b>2.4</b>
<b>C</b>	<b>5.0</b>
<b>D</b>	<b>4.1</b>
<b>E</b>	<b>4.0</b>
<b>F</b>	<b>2.6</b>
<b>G</b>	<b>2.2</b>

<b>H</b>	<b>6.0</b>
<b>I</b>	<b>6.8</b>
<b>J</b>	<b>6.3</b>
<b>K</b>	<b>4.5</b>
<b>L</b>	<b>7.0</b>
<b>M</b>	<b>2.5</b>
<b>N</b>	<b>4.7</b>

<b>O</b>	<b>2.3</b>
<b>P</b>	<b>4.9</b>
<b>Q</b>	<b>2.0</b>
<b>R</b>	<b>6.6</b>
<b>S</b>	<b>6.5</b>
<b>T</b>	<b>4.6</b>
<b>U</b>	<b>3.9</b>

<b>V</b>	<b>4.8</b>
<b>W</b>	<b>3.0</b>
<b>X</b>	<b>6.9</b>
<b>Y</b>	<b>2.1</b>
<b>Z</b>	<b>1.0</b>

3.01

3.97

6.67

6.61

4.02

2.23

2.28

6.837

4.74

2.19

4.554

2.34

6.049

6.74

2.99

6.651

6.752

6.82

# GlobalFest

**Part 1:** Solve the following problems using the standard algorithm. Use **place value disks** to help you answer the questions as you go.

1. Nesrine bought two baskets at GlobalFest to give to her friends. One baskets cost \$6.07 and the other cost \$5.82. What is the total of Nesrine's purchase?

Nesrine spent \$\_\_\_\_\_ on the baskets.

2. At the next booth, Nesrine purchased two blankets. One blanket cost \$9.63 and the other blanket cost \$8.42. How much did Nesrine spend on blankets?

Nesrine spent \$\_\_\_\_\_ on the baskets.

**Part 2:** Rewrite the expressions in the standard algorithm and solve.

3.  $99.68 + 95.05 =$

\_\_\_\_\_

4.  $22.4 + 57.62 =$

\_\_\_\_\_

5.  $90.71 + 4.24 =$

\_\_\_\_\_

# Chore Time

Review the example problem. Use a **number line** to add.

## Example

Add  $9.34 + 4.7$  using a number line.

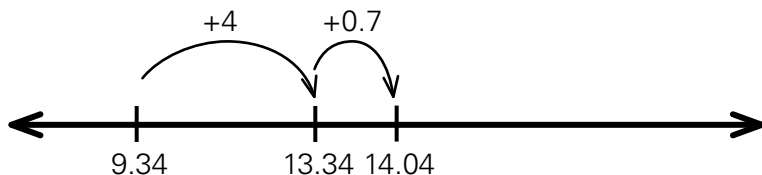
### Step 1

Plot the larger addend on the number line. Add the whole number of the smaller addend on the number line.



### Step 2

Add the next place value of the smaller addend, the tenths, on the number line to solve.



1.  $6.07 + 5.82 =$  \_\_\_\_\_

2.  $5.23 + 3.74 =$  \_\_\_\_\_

3.  $9.5 + 25.46 =$  \_\_\_\_\_

4.  $10.61 + 12.03 =$  \_\_\_\_\_

5.  $36.59 + 30.31 =$  \_\_\_\_\_

6.  $83.47 + 31.6 =$  \_\_\_\_\_



# Lesson 14 Exit Ticket

**Part 1:** Add using the standard algorithm. You may use **place value disks** or drawings to help.

1. Harper has one bag of beads that is 16.8 ounces and another bag of beads that is 4.91 ounces. How many total ounces of beads does she have?

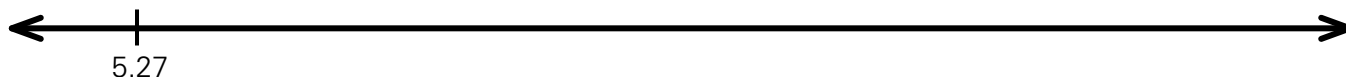
Harper has \_\_\_\_\_ ounces of beads.

2. Harper has blue ribbon that is 29.84 inches long and green ribbon that is 75.04 inches long. How many total inches of ribbon does she have?

Harper has \_\_\_\_\_ inches of ribbon.

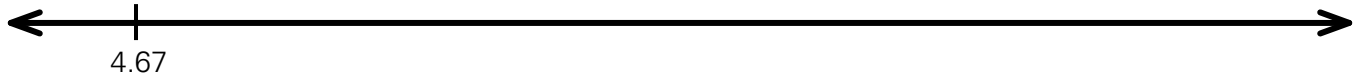
**Part 2:** Add using the number line.

3.  $5.27 + 3.46 =$  \_\_\_\_\_



# Extra Practice: Decimal Addition

**Part 1:** Use the following number line to solve the problem  $4.67 + 2.39$ .



**Part 2:** Solve the following problems using your preferred method.

1.  $92.4 + 0.32 =$  \_\_\_\_\_

2.  $28.67 + 3.14 =$  \_\_\_\_\_

3.  $10.81 + 6.09 =$  \_\_\_\_\_

4.  $53.7 + 29.38 =$  \_\_\_\_\_

5.  $36.59 + 5.8 =$  \_\_\_\_\_

**Part 3:** Circle the addition problems that will require regrouping. Draw a square around the problems that will not.

$$4.52 + 10.81$$

$$0.35 + 9.64$$

$$3.62 + 5.1$$

$$62.8 + 27.5$$

$$4.47 + 8.5$$

$$1.9 + 86.07$$

$$15.71 + 3.04$$

# Open Number Lines



# Open Number Lines



# Open Number Lines



# Decimal Addition 9-Square

Add squares left to right or top to bottom to find the third square in each row or column. Fill in the empty squares.

1.52	8.6	
4.7	6.39	

# Desert Trails Wildlife Rescue

**Part 1:** Solve the following problems using the standard algorithm. Use **place value disks** to help you answer the questions as you go.

1. A young coyote sleeps in a big plastic bin with many warm blankets. The bin weighs 11.29 pounds. The coyote and the bin together weigh 25 pounds. How much does the coyote weigh?

The coyote weighs \_\_\_\_\_ pounds.

2. A turtle won't sit on a scale, so Rikki places him on a can so his feet don't reach the ground. The can weighs 435.25 grams. The can and the turtle weigh 1,198.05 grams. How much does the turtle weigh?

The turtle weighs \_\_\_\_\_ grams.

**Part 2:** Rewrite the expressions in the standard algorithm and solve.

3.  $9.36 - 5.18 =$

\_\_\_\_\_

4.  $4.26 - 2.14 =$

\_\_\_\_\_

5.  $33.98 - 5.314 =$

\_\_\_\_\_

# Fox Weight

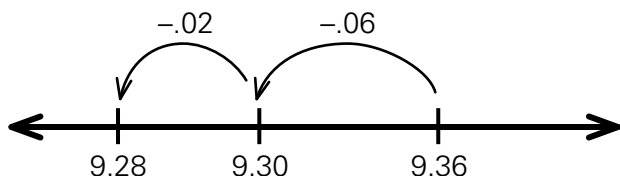
Review the example problem. Use a **number line** to subtract.

## Example

Subtract  $9.36 - 5.18$  using a number line

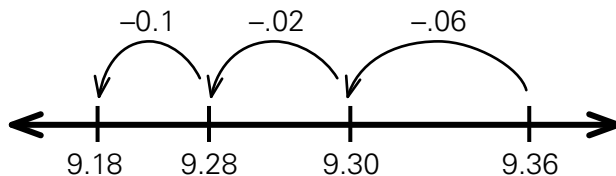
### Step 1

Place the greater number on the number line and subtract the smallest place value from it. Use friendly numbers if it helps.



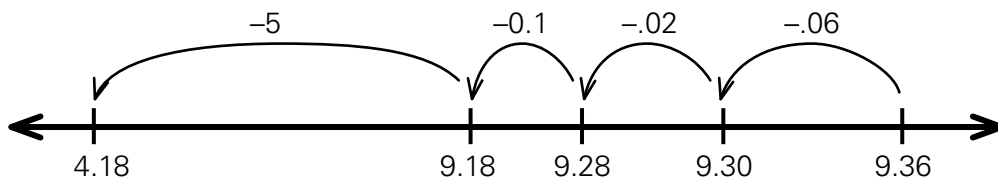
### Step 2

Next, subtract the next smallest place value from the number.



### Step 3

Finally, subtract the greatest place value from the number and solve.



$$9.36 - 5.18 = 4.18$$

1. A scared fox cub needs to be weighed with a man holding the fox in his arms. Together, the fox and man weigh 162.85 pounds. The man weighs 155.53 pounds. How much does the fox weigh?

The fox weighs \_\_\_\_\_ pounds.

2.  $5.29 - 2.41 =$  \_\_\_\_\_

3.  $1.24 - 0.52 =$  \_\_\_\_\_

4.  $43.77 - 9.52 =$  \_\_\_\_\_

5.  $400.6 - 52.27 =$  \_\_\_\_\_



# Lesson 15 Exit Ticket

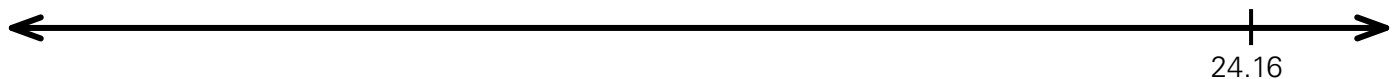
**Part 1:** Subtract using the standard algorithm. Use may use **place value disks** or drawings to help.

1.  $12.9 - 5.7 =$  \_\_\_\_\_

2.  $92.6 - 5.12 =$  \_\_\_\_\_

**Part 2:** Subtract using the number line.

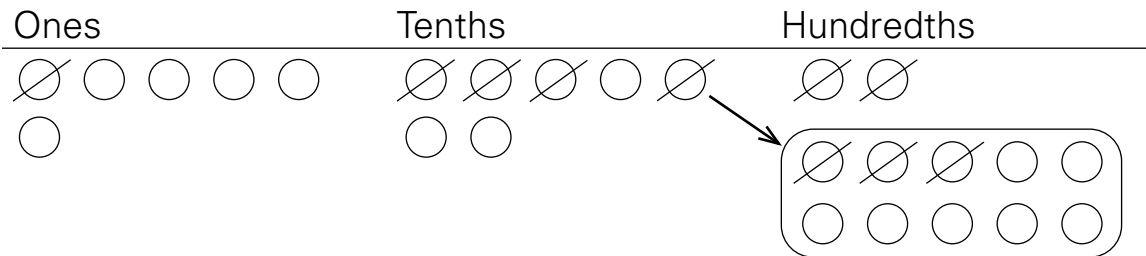
3.  $24.16 - 8.5 =$  \_\_\_\_\_



# Extra Practice: Decimal Subtraction

**Part 1:** Determine what Lucas did wrong while subtracting, and help him find the right answer.

1. Lucas subtracted  $6.72 - 1.45$  as shown.



$$6.72 - 1.45 = 5.37$$

a. What mistake did Lucas make? \_\_\_\_\_  
 \_\_\_\_\_  
 \_\_\_\_\_

b. What is the correct difference? \_\_\_\_\_

**Part 2:** Subtract using any model you choose.

2.  $156.48 - 92.71$  \_\_\_\_\_

3.  $3.14 - 0.8$  \_\_\_\_\_

4.  $75.09 - 21.05$  \_\_\_\_\_

5.  $70.1 - 3.28$  \_\_\_\_\_

6.  $7.56 - 6.2$  \_\_\_\_\_

7.  $811.8 - 75.82$  \_\_\_\_\_

# Open Number Lines



# Open Number Lines



# Open Number Lines



# Open Number Lines



# Assessment

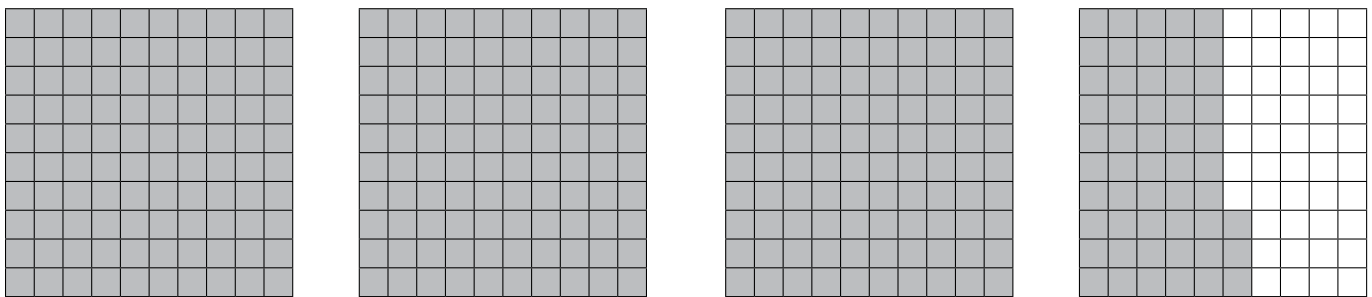
# Unit 2 Assessment

1. Charlie multiplied 18.5 by 10. He exchanged 5 tenths place value disks for 5 ones place value disks. Was this a correct way to begin to solve the problem? Explain.

---

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2. Write the amount of money that the  $10 \times 10$  grids represent in decimal form. Then say how many wholes and hundredths in the number.



\$ \_\_\_\_\_ = \_\_\_\_\_ whole dollars and \_\_\_\_\_ hundredths

3. Write the decimal as a mixed number. Then write it in word form.

2.37 = \_\_\_\_\_ Word form: \_\_\_\_\_

4. Write the decimal in expanded form.

74.612 = \_\_\_\_\_

5. Demarcus wants to compare 5.408 and 5.421.

a. Which place value tells you which number is greater? \_\_\_\_\_

b. Write a comparison for these numbers using  $>$  or  $<$ . \_\_\_\_\_



6. What is 0.834 rounded to the nearest hundredth? Use rounding rules and answer the question.

0.834 rounded to the nearest hundredth = \_\_\_\_\_

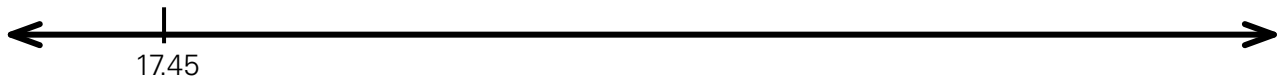
Explain how you used rounding rules to round.

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7. Add using the number line.

$17.45 + 5.13 = \underline{\hspace{2cm}}$



8. Emma listened to two podcasts. The first podcast was 34.92 minutes long, and the second podcast was 41.65 minutes long. How much time did Emma spend listening to the podcasts?

---

9. Subtract using the number line.

$5.13 - 2.74 = \underline{\hspace{2cm}}$



**10.** Subtract  $37.69 - 6.35$ .

**a.** Will you need to do any regrouping in this subtraction? If so, in which place(s)?

---

**b.** The difference of  $37.69 - 6.35$  is \_\_\_\_\_.



# Unit 2 Cumulative Review

1. The fifth-grade classes at Hillcrest Elementary have a total of 108 students. Coach Park wants to put the fifth-graders into 9 equal teams for Field Day. How many fifth-graders will be on each Field Day team?

There will be \_\_\_\_\_ fifth graders on each team.

2. A T-shirt costs \$5. A pair of jeans costs 8 times as much as a t-shirt.

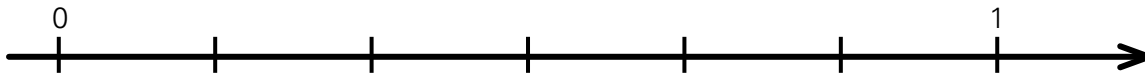
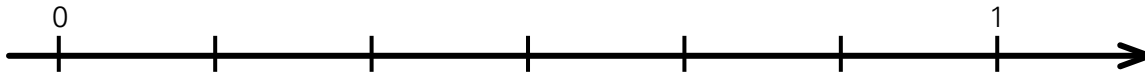
a. Draw a tape diagram to model the cost of the T-shirt and the jeans.

b. How much does a pair of jeans cost?

3. Multiply.  $7 \times 10^5 =$  \_\_\_\_\_

4. Megan and Ali are sharing a bag of marbles. Megan got  $\frac{2}{6}$  of the marbles and Ali got  $\frac{2}{3}$  of the marbles.

a. Complete the double number line to compare the fractions.



b. Who got a greater share of the marbles? Explain. \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

c. Write a comparison for  $\frac{2}{6}$  and  $\frac{2}{3}$ . \_\_\_\_\_

5. Multiply.  $18 \times 36 =$  \_\_\_\_\_

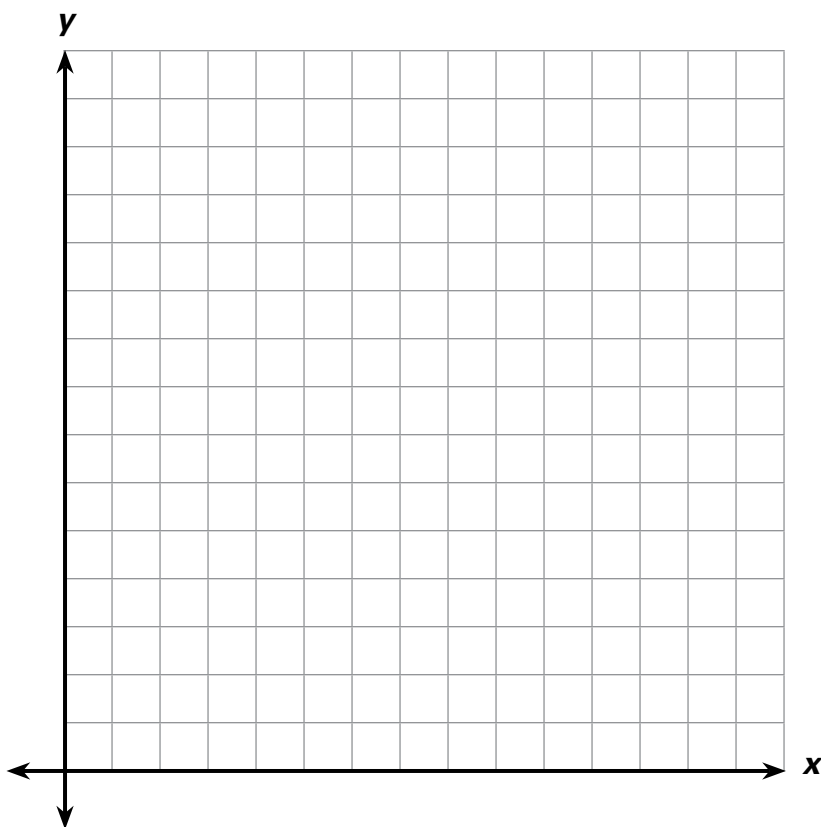
6. Use the identity property of multiplication algorithm to determine if  $\frac{5}{8}$  and  $\frac{15}{24}$  are equivalent fractions. Show your work and complete the sentence.

The fractions  $\frac{5}{8}$  and  $\frac{15}{24}$  \_\_\_\_\_ equivalent.

7. Multiply. Show your work.

$6 \times 700 =$  \_\_\_\_\_

8. Plot points for the ordered pairs (6, 4) and (1, 9) on the coordinate plane.



9. Bryce went out for pizza with a group of friends. There were 7 people total. Each person had  $\frac{1}{12}$  of the pizza.

- a. Draw a tape diagram to represent the total amount of pizza Bryce and his friends ate.

- b. Write an addition equation that shows the total amount of pizza.

- c. Write a multiplication equation that shows the total amount of pizza.

10. Write a comparison for 5.72 and 5.6.

---

11. Oranges cost \$2 per pound. Keyshawn bought 8 pounds of oranges. He gave the cashier a \$20 bill. How much change did the cashier give back to Keyshawn? \_\_\_\_\_

12. For four days in a row, Campbell used  $\frac{1}{2}$  cup of milk in her cereal at breakfast. How much milk did she use in total?

She uses \_\_\_\_\_ cups of milk in total.

13. Write the fraction as a decimal.

$$\frac{7}{100} = \underline{\hspace{2cm}}$$

14. Complete the place value chart to model  $48.3 \div 100$ .

Thousands	Hundreds	Tens	Ones	.	Tenths	Hundredths	Thousandths

15. Write the next five terms in the pattern using the rule "add 7, subtract 3."

6, 13, 10, ... \_\_\_\_\_

Unit 3:

# Multiplication and Division with Large Numbers

# Community Service Project

Draw an area model and add partial products to find each product.

1. Harper is in charge of getting the disposable plastic trays ready for dinner service at a soup kitchen. The trays are in a big bin. Each bin has 115 bags of trays and there are 325 trays in each bag. How many trays are there?


There are \_\_\_\_\_ trays.

2. Billy is organizing a litter pick up. He has 523 volunteers signed up in the county. He is challenging each volunteer to pick up 222 pieces of litter. How many total pieces of litter will the volunteers pick up if they meet Billy's challenge?


They will pick up \_\_\_\_\_ pieces of litter.

3. Kara organizes free tutoring after school. There are 34 tutors. Each tutor does library homework help for 185 hours during the school year. How many total hours do the tutors help kids with homework?


They help kids for \_\_\_\_\_ hours.



# Recycling

Review the example problem. Use **area models** and the distributive property to find the products. Show your work.

## Example

Mill Bank Elementary School collects aluminum cans to recycle. Each week, they recycle **174** cans. How many cans will the school have recycled after **31** weeks?

### Step 1

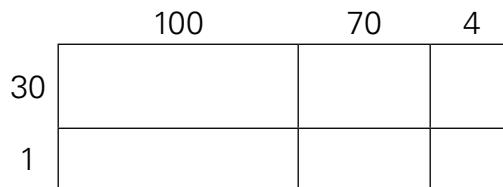
Write the factors in expanded form.

$$31 = 30 + 1$$

$$174 = 100 + 70 + 4$$

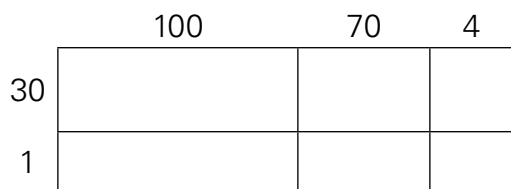
### Step 2

Draw an area model using expanded factors as side lengths.



### Step 3

Write an equation to represent the area of each column of the model.



$$100 \times (30 + 1) \quad 70 \times (30 + 1) \quad 4(30 + 1)$$

### Step 4

Use the distributive property to find the partial products. Then add to find the total product.

$$100 \times (30 + 1) = (100 \times 30) + (100 \times 1) = 3,000 + 100 = 3,100$$

$$70 \times (30 + 1) = (70 \times 30) + (70 \times 1) = 2,100 + 70 = 2,170$$

$$4 \times (30 + 1) = (4 \times 30) + (4 \times 1) = 120 + 4 = 124$$

$$3,100 + 2,170 + 124 = 5,394 \quad \mathbf{31 \times 174 = 5,394}$$

The school will recycle 5,394 cans.

1.  $45 \times 23 =$  \_\_\_\_\_      2.  $355 \times 82 =$  \_\_\_\_\_      3.  $464 \times 51 =$  \_\_\_\_\_

# Lesson 17 Exit Ticket

**Part 1:** Multiply using an area model and partial products.

1.  $165 \times 328 =$  \_\_\_\_\_


**Part 2:** Multiply using an area model and the distributive property.

2.  $256 \times 54 =$  \_\_\_\_\_


# Extra Practice: Collections

Determine whether the following statements are *true* or *false*.

1. There is more than one process to find the product of two 2-digit numbers. \_\_\_\_\_
2. When using the distributive property in multiplication, each part of the first term is multiplied by each part of the second term. \_\_\_\_\_
3. To find partial products, divide an area model into two sections. \_\_\_\_\_
4. You can expand factors when using an area model to visualize multiplication. \_\_\_\_\_
5.  $57 \times 19$  is the same as  $(5 + 7) \times (1 + 9)$ . \_\_\_\_\_

Use area models and the distributive property to find the product.

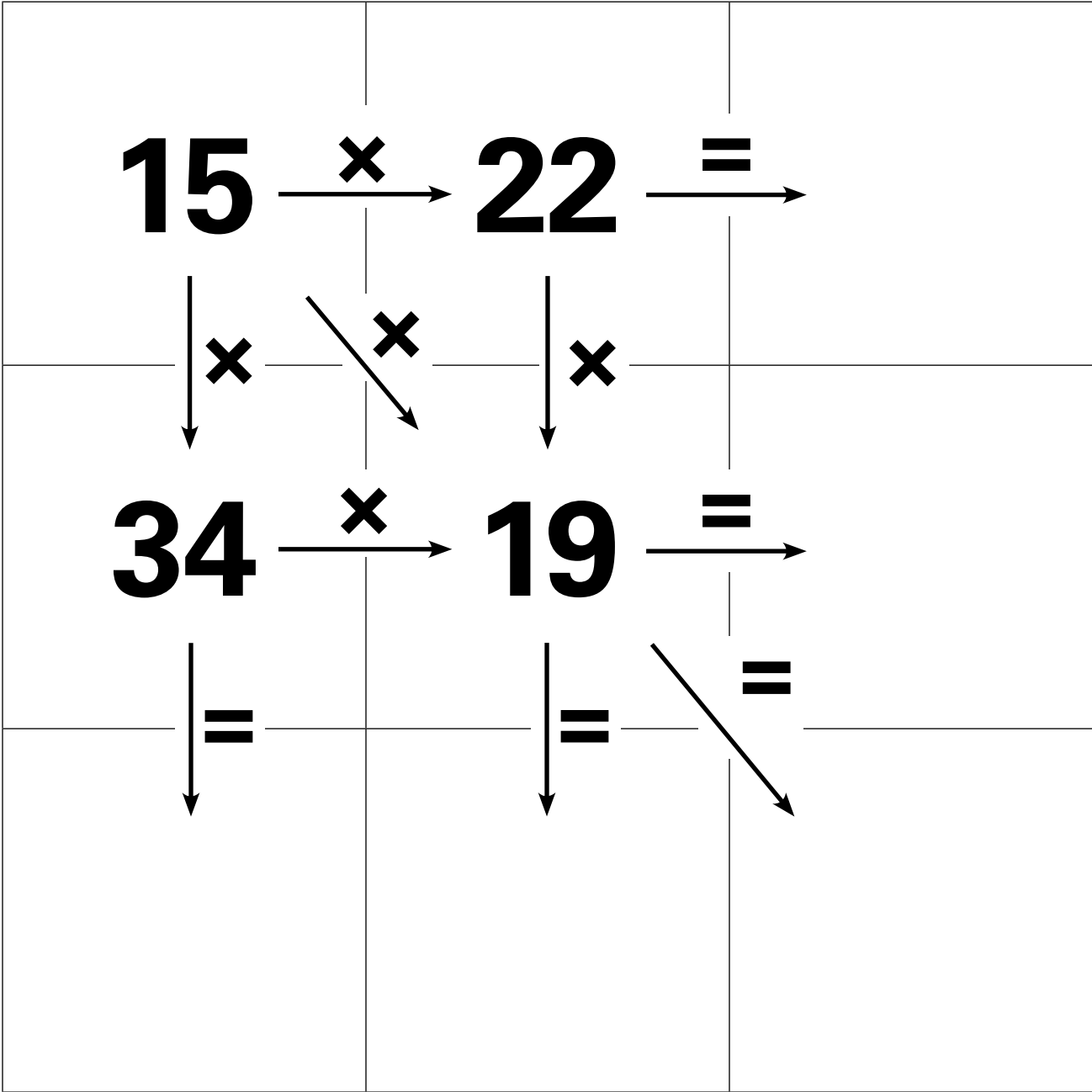
6. Mr. Johnson has been collecting soda bottle caps for 45 years. He was very precise and drank 175 bottles of soda each year. How many bottle caps does Mr. Johnson have?

a. Draw an area model to represent the problem.


b. Solve using the distributive property.

Mr. Johnson has \_\_\_\_\_ bottle caps in his collection.

# Multiplication 9-Square



# Space Years

**Part 1:** Use the standard multiplication algorithm to find the products. Then label each part of your algorithm.

1. A year on Mercury is 88 days. How many days are in 376 years on Mercury?

The 4 tens from the product 48

There are \_\_\_\_\_ days in 376 years on Mercury.

**Part 2:** Use the standard multiplication algorithm to find the products.

2. 
$$\begin{array}{r} 767 \\ \times 826 \\ \hline \end{array}$$

3. 
$$\begin{array}{r} 937 \\ \times 102 \\ \hline \end{array}$$

4. 
$$\begin{array}{r} 496 \\ \times 396 \\ \hline \end{array}$$

# Years and Years

Review the example problem. Use the standard algorithm to multiply.

## Example

There are **225** days in a year on Venus. How many days are there in **85** Venus years?

### Step 1

Write the multiplication equation vertically, aligned by place.

$$\begin{array}{r} 225 \\ \times 85 \\ \hline \end{array}$$

### Step 2

Begin by multiplying the ones digit of the second factor by each digit in the first factor. Regroup as you multiply, "carrying" the regrouped values to the top of the next place to the left.

$$\begin{array}{r} 12 \\ 225 \\ \times 85 \\ \hline 1125 \end{array}$$

### Step 3

Continue by multiplying the tens digit of the second factor by each digit in the first factor, regrouping as you multiply. Remember that you are multiplying a ten, so put a 0 in the ones place to begin.

$$\begin{array}{r} 24 \\ 12 \\ 225 \\ \times 85 \\ \hline 1125 \\ 18000 \end{array}$$

### Step 4

Add partial products together.

$$\begin{array}{r} 24 \\ 12 \\ 225 \\ \times 85 \\ \hline 1125 \\ 18000 \\ \hline 19125 \end{array}$$

1.

$$\begin{array}{r} 7593 \\ \times 718 \\ \hline \end{array}$$

2.

$$\begin{array}{r} 870 \\ \times 69 \\ \hline \end{array}$$

3.

$$\begin{array}{r} 299 \\ \times 313 \\ \hline \end{array}$$

4.

$$\begin{array}{r} 844 \\ \times 567 \\ \hline \end{array}$$

5.

$$\begin{array}{r} 6323 \\ \times 172 \\ \hline \end{array}$$

6.

$$\begin{array}{r} 236 \\ \times 35 \\ \hline \end{array}$$

# Lesson 18 Exit Ticket

**Part 1:** Use the standard multiplication algorithm to find the products. Then label each part of your algorithm.

1. A year on Earth is 365 days. How many days are in 93 years on Earth?

$$\begin{array}{r} \text{OO} \\ \text{OO} \\ 365 \\ \times 93 \\ \hline \\ + \\ \hline \\ \hline \end{array}$$

There are \_\_\_\_\_ days in 93 years on Earth.

**Part 2:** Use the standard multiplication algorithm.

2.

$$\begin{array}{r} 914 \\ \times 77 \\ \hline \end{array}$$

3.

$$\begin{array}{r} 145 \\ \times 384 \\ \hline \end{array}$$

4.

$$\begin{array}{r} 4575 \\ \times 452 \\ \hline \end{array}$$

# Extra Practice: Algorithm Practice

1.

$$\begin{array}{r} 673 \\ \times 31 \\ \hline \end{array}$$

2.

$$\begin{array}{r} 132 \\ \times 149 \\ \hline \end{array}$$

3.

$$\begin{array}{r} 7842 \\ \times 616 \\ \hline \end{array}$$

4.

$$\begin{array}{r} 5182 \\ \times 717 \\ \hline \end{array}$$

5.

$$\begin{array}{r} 696 \\ \times 79 \\ \hline \end{array}$$

6.

$$\begin{array}{r} 362 \\ \times 307 \\ \hline \end{array}$$

7.

$$\begin{array}{r} 989 \\ \times 39 \\ \hline \end{array}$$

8.

$$\begin{array}{r} 9800 \\ \times 974 \\ \hline \end{array}$$

9.

$$\begin{array}{r} 713 \\ \times 56 \\ \hline \end{array}$$

10.

$$\begin{array}{r} 608 \\ \times 27 \\ \hline \end{array}$$

11.

$$\begin{array}{r} 434 \\ \times 641 \\ \hline \end{array}$$

12.

$$\begin{array}{r} 6517 \\ \times 168 \\ \hline \end{array}$$

13.

$$\begin{array}{r} 1463 \\ \times 416 \\ \hline \end{array}$$

14.

$$\begin{array}{r} 421 \\ \times 81 \\ \hline \end{array}$$

15.

$$\begin{array}{r} 618 \\ \times 761 \\ \hline \end{array}$$



# Multiplication 9-Square

<b>542</b>	$\xrightarrow{\times}$	<b>36</b>	$\xrightarrow{=}$
$\downarrow \times$	$\swarrow \times$	$\downarrow \times$	
<b>17</b>	$\xrightarrow{\times}$	<b>829</b>	$\xrightarrow{=}$
$\downarrow =$		$\downarrow =$	$\swarrow =$

# Factor Pick

**Table 1**

27,588	326,697	291,827
567,769	19,292	5,670

**Table 2**


**Table 3**


**Table 4**


# Art Supplies

**Part 1:** Use **place value disks** to divide.

1. Ms. Perkins bought 810 ounces of clear glaze for the students to use on their ceramic vases. She wants to divide the glaze into individual containers so each student has 54 ounces of their own glaze to use. How many containers can she make?

$810 \div 54 = \underline{\hspace{2cm}}$  She can make  $\underline{\hspace{2cm}}$  containers.

2. Ms. Perkins has 234 tubes of paint. She sorts the tubes into small boxes. Each box has 13 tubes of paint. How many boxes of paint does she have?

$234 \div 13 = \underline{\hspace{2cm}}$  She has  $\underline{\hspace{2cm}}$  boxes of paint.

3. Ms. Perkins has 784 paintbrushes. She puts the brushes into bags for storage. If she puts 49 paintbrushes into each bag, how many bags does she need?

$784 \div 49 = \underline{\hspace{2cm}}$  She needs  $\underline{\hspace{2cm}}$  bags.

**Part 2:** Use the **partial quotients** algorithm to divide.

4. Ms. Perkins has 945 sheets of construction paper. Each student needs 21 sheets of paper for a special project. How many students can she give the needed amount of paper to?

$945 \div 21 = \underline{\hspace{2cm}}$  She has enough paper for  $\underline{\hspace{2cm}}$  students.

5. Ms. Perkins has 297 yards of ribbon. She wants to put 27 yards of ribbon on each table in her classroom. How many tables will have 27 yards of ribbon?

$297 \div 27 = \underline{\hspace{2cm}}$  She has enough ribbon for  $\underline{\hspace{2cm}}$  tables.

# Partial Quotients

Review the example problem. Use the partial quotients algorithm to divide. Show your work.

## Example

Divide  $896 \div 64$ .

### Step 1

Write the division equation in the partial quotients algorithm.

$$64 \overline{) 896}$$

### Step 2

Multiply the divisor, 64, by 10 and subtract from the dividend, 896. Ten is a partial quotient. Write it to the side.

$$\begin{array}{r} 64 \overline{) 896} \\ - 640 \\ \hline 256 \end{array} \quad 10$$

### Step 3

Determine the number of times the divisor equals the remaining dividend. Continue until the dividend is 0.

$$\begin{array}{r} 64 \overline{) 896} \\ - 640 \\ \hline 256 \\ - 256 \\ \hline 0 \end{array} \quad \begin{array}{l} 10 \\ 4 \end{array}$$

### Step 4

Add the partial quotients together.

$$10 + 4 = 14$$

$$896 \div 64 = 14$$

1.  $2,225 \div 89 = \underline{\hspace{2cm}}$

2.  $2,304 \div 64 = \underline{\hspace{2cm}}$

3.  $1,150 \div 50 = \underline{\hspace{2cm}}$

4.  $816 \div 48 = \underline{\hspace{2cm}}$

5.  $703 \div 37 = \underline{\hspace{2cm}}$

6.  $648 \div 27 = \underline{\hspace{2cm}}$

# Lesson 19 Exit Ticket

Use **place value disks** and the partial quotients algorithm to divide. Show your work.

1.  $1,235 \div 95 = \underline{\hspace{2cm}}$

Use the partial quotients algorithm to divide. Show your work.

2.  $2,187 \div 81 = \underline{\hspace{2cm}}$

$$\begin{array}{r} 81 \overline{) 2,187} \end{array}$$

3.  $1,104 \div 69 = \underline{\hspace{2cm}}$

# Extra Practice: Photo Booth

Use **place value disks** and the partial quotients algorithm to divide. Show your work.

Nolan likes to photograph birds in nature. He sells prints of his photos at different art festivals. All his prints are \$25. The table shows how much money Nolan made at some of the festivals.

<i>Festival</i>	<i>Money Made</i>
<i>Spring Fling</i>	<i>\$ 1,150</i>
<i>Greenville Fair</i>	<i>\$ 2,325</i>
<i>Willowbrook Arts Weekend</i>	<i>\$ 1,450</i>

1. How many prints did Nolan sell at the Spring Fling Festival?



Nolan sold \_\_\_\_\_ prints at the Spring Fling Festival.

2. How many prints did Nolan sell at the Greenville Fair?

Nolan sold \_\_\_\_\_ prints at the Greenville Fair.

3. How many prints did Nolan sell at the Willowbrook Arts Weekend?

Nolan sold \_\_\_\_\_ prints at the Willowbrook Arts Weekend.

# Art Celebration Week

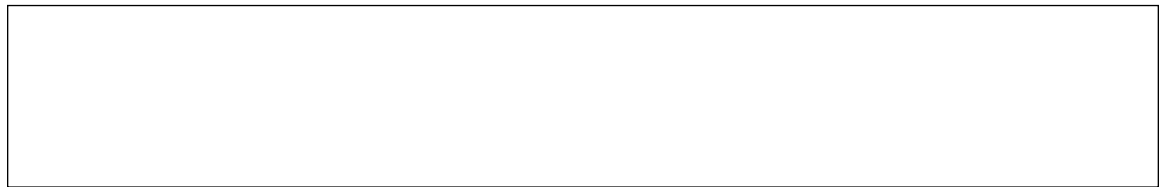
Use area models to divide by 2-digit divisors and answer the questions.

- 1.** The art classes will make a mosaic to hang in the school. The mosaic will have 3,690 tiles. 15 students will work on the mosaic, each setting the same number of tiles. How many tiles will each student set?

**a.** Write a division equation to model the problem: \_\_\_\_\_

**b.** Write a related multiplication equation: \_\_\_\_\_

**c.** Label the dividend and divisor on the area model and solve.

A large empty rectangular box intended for drawing an area model to solve the division problem.

Each student will set \_\_\_\_\_ tiles.

- 2.** During art celebration week, 25 teachers will give presentations about art and artists. The teachers will divide 1,175 minutes of learning time equally. How many minutes will each teacher have for their presentation?

**a.** Write a division equation to model the problem: \_\_\_\_\_

**b.** Write a related multiplication equation: \_\_\_\_\_

**c.** Label the dividend and divisor on the area model and solve.

A large empty rectangular box intended for drawing an area model to solve the division problem.

Each teacher will have \_\_\_\_\_ minutes for their presentation.

# Popsicle Time!

Review the example problem. Use area models to divide. Show your work.

## Example

The cafeteria is buying popsicles for art celebration week. They need **4,712** total popsicles. The popsicles come in boxes of **38**. How many boxes does the cafeteria need to buy?

### Step 1

Write a division equation and a related multiplication equation to represent the problem. Draw an area model, showing the factors as side lengths and the product as the area.

$$4,712 \div 38 = b$$

$$38 \times b = 4,712$$

38

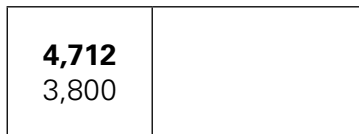


### Step 2

Make a number of groups using a multiple of 10. This number of groups is the first partial quotient. Write the partial quotient outside the area model. Calculate the partial product and write it inside the area model.

100

38

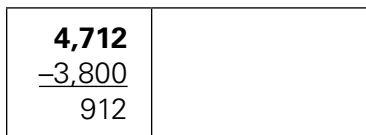


### Step 3

Subtract the partial product from the total area to see how much is left to divide.

100

38



### Step 4

Make more groups (partial quotients) until the total area is divided. Add the partial quotients to find the total quotient.

100

10

10

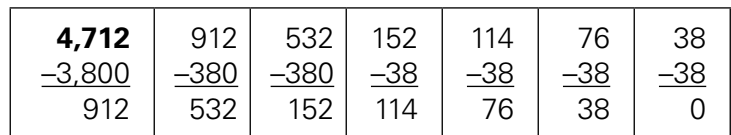
1

1

1

1

38



$$100 + 10 + 10 + 1 + 1 + 1 + 1 = 124$$

$$4,712 \div 38 = 124$$

1.  $6,232 \div 38 =$  \_\_\_\_\_      2.  $1,540 \div 44 =$  \_\_\_\_\_      3.  $3,354 \div 26 =$  \_\_\_\_\_



# Lesson 20 Exit Ticket

Write a related multiplication equation to help you set up an area model. Then use the area model to find the quotient.

1.  $752 \div 16 = p$

a. Write a related multiplication equation: \_\_\_\_\_

b. Draw an area model.



$752 \div 16 =$  \_\_\_\_\_

2.  $2,772 \div 21 = c$

a. Write a related multiplication equation: \_\_\_\_\_

b. Draw an area model.



$2,772 \div 21$  \_\_\_\_\_

# Extra Practice: Big Town Stadium

The table shows the school days at Big Town Stadium. Each date has a number of seats available for schools that are visiting. The schools have to share the seats equally. Complete the table to show how many seats each school can have.

Big Town Stadium School Days			
Date	Available Seats	Number of Schools	Seats per School
April 14	8,384	64	
May 17	5,146	62	
June 4	4,160	52	

## April 14

Multiplication Equation: \_\_\_\_\_ Division Equation: \_\_\_\_\_

Area Model:

## May 17

Multiplication Equation: \_\_\_\_\_ Division Equation: \_\_\_\_\_

Area Model:

## June 4

Multiplication Equation: \_\_\_\_\_ Division Equation: \_\_\_\_\_

Area Model:

# Restaurant Compost

Use the standard division algorithm to find the quotients. Multiply to check your work.

1. Some of the smaller restaurants use smaller barrels that hold 46 pounds of food waste. This week, 4,830 pounds of compost are collected. How many barrels are collected?

$$46 \overline{) 4830}$$

Check your work:

\_\_\_\_\_ barrels are collected.

2. The community compost gets \$8,253 in donations from 21 local restaurants. Each restaurant donates the same amount. How much did each restaurant donate?

$$21 \overline{) 8253}$$

Check your work:

Each restaurant donates \_\_\_\_\_ dollars.

# Pound Puzzle

Review the example problem. Use the standard division algorithm to find the quotients.

## Example

Divide  $7,788 \div 59$ .

### Step 1

Write the division equation in the long division format.

$$59 \overline{) 7788}$$

Ask "How many **59s** are in 77?"

There is one **59** in 77, so the first digit of the quotient is 1.

### Step 2

The digit 1 in the quotient means that 59 goes into 7,788 one hundred times. Multiply the divisor by the partial quotient, then subtract to find out how much is left to divide.

$$59 \times 100 = 5,900$$

$$\begin{array}{r} 1 \\ 59 \overline{) 7788} \\ - 5900 \\ \hline 1888 \end{array}$$

### Step 3

Continue dividing, multiplying, and subtracting until there is nothing left to divide.

$$\begin{array}{r} 100 \\ 59 \overline{) 7788} \\ - 5900 \\ \hline 1888 \\ - 1770 \\ \hline 118 \\ - 118 \\ \hline 0 \end{array}$$

### Step 4

Multiply the quotient by the divisor to check your work. The product should equal the original dividend.

$$132 \times 59 = 7,788, \text{ so } 7,788 \div 59 = 132.$$

1.  $1,216 \div 16 = \underline{\hspace{2cm}}$       2.  $8,525 \div 25 = \underline{\hspace{2cm}}$       3.  $8,073 \div 39 = \underline{\hspace{2cm}}$

# Lesson 21 Exit Ticket

Use the standard division algorithm to find the quotients.

1.  $3,925 \div 25 = \underline{\hspace{2cm}}$

2.  $3,838 \div 19 = \underline{\hspace{2cm}}$

3. Use multiplication to check one of your answers above.

# Extra Practice: Division Algorithm

Determine whether the following statements are *true* or *false*.

1. The standard division algorithm is also called short division. \_\_\_\_\_
2. You can verify a division quotient by multiplying the quotient times the divisor. \_\_\_\_\_
3. Zeros in the quotient are not necessary when dividing by a 2-digit divisor. \_\_\_\_\_
4. The dividend times the quotient should equal the divisor. \_\_\_\_\_
5. In the standard division algorithm, subtracting will show what is left to still divide. \_\_\_\_\_

Divide. Verify your quotient using multiplication.

6.

$$61 \overline{) 8845}$$

7.

$$35 \overline{) 7630}$$

8.

$$86 \overline{) 9374}$$

9.

$$28 \overline{) 4788}$$

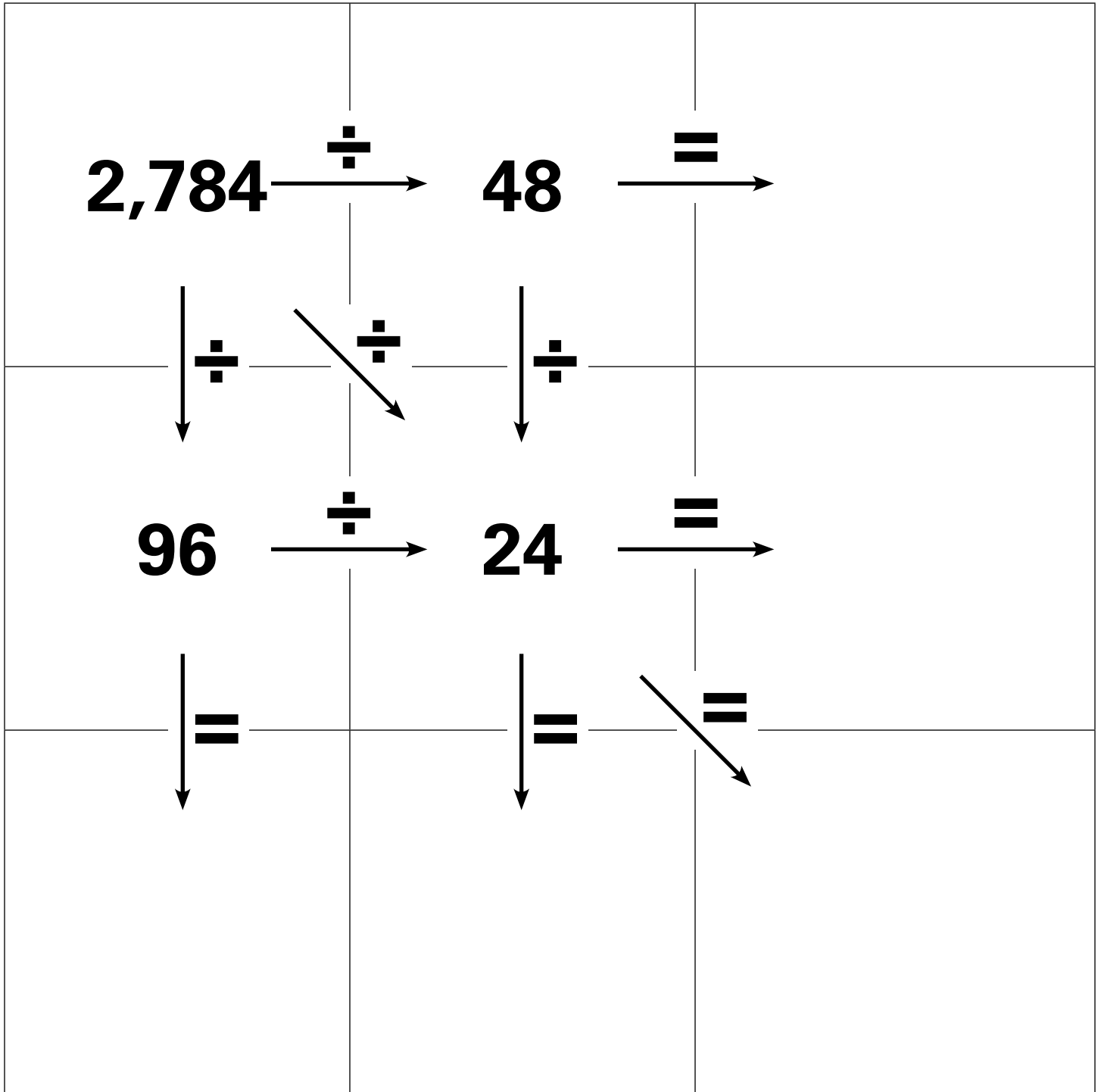
10.

$$39 \overline{) 7917}$$

11.

$$64 \overline{) 1152}$$

# Division 9-Square



# Assessment



# Unit 3 Assessment

1. Nia is volunteering at a charity fun run. Her job is to give out bottles of water. Each bottle has 16 ounces of water. During the run, Nia gave out 87 bottles. She wonders how many ounces of water she gave out.

a. Draw an area model of the multiplication using expanded factors.

b. Write and solve the partial product equations from your area model in part a.

c. Nia gave out \_\_\_\_\_ ounces of water during the run.

2. Multiply using the distributive property. Show your work. You can draw an area model to help.

$$54 \times 29 = \underline{\hspace{2cm}}$$

3. Belinda solved  $182 \times 68$  as shown.

$$\begin{array}{r} 41 \\ \cancel{8} \cancel{1} \\ 182 \\ \times \quad 68 \\ \hline 1456 \\ + \quad 1092 \\ \hline 2548 \end{array}$$

a. What mistake did Belinda make? \_\_\_\_\_  
\_\_\_\_\_

b. What is the correct product? Show your work.

$$182 \times 68 = \underline{\hspace{2cm}}$$

4. Multiply. Show your work.

$$\begin{array}{r} 492 \\ \times 361 \\ \hline \end{array}$$

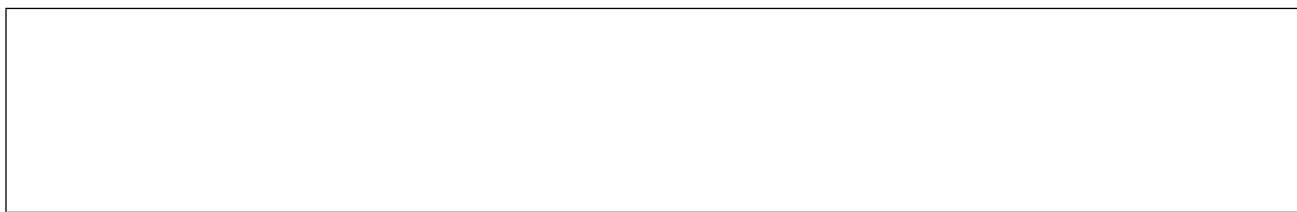
5. Jalen makes and sells wooden birdhouses for \$18 each. He has made \$3,672 from the sales. How many birdhouses has he sold? Use the partial quotients algorithm to solve.

Jalen sold \_\_\_\_\_ birdhouses.

6. Divide. Use the partial quotients algorithm.

$$1,748 \div 76 = \underline{\hspace{2cm}}$$

7. Dev has \$546 and is buying video games. Each game costs \$14. How many games can he buy? Draw and solve an area model to represent the division.



Dev can buy \_\_\_\_\_ games.

8. Brandon has 450 sheets of paper to print out copies of his report. Each report takes 25 sheets of paper. How many copies of his report can Brandon print? Draw and solve an area model to represent the division.



Brandon can print \_\_\_\_\_ copies.

9. Divide  $4,920 \div 15$  using the standard division algorithm. Show your work.

10. Divide. Show your work.

$$9,078 \div 34 = \underline{\hspace{2cm}}$$

$$34 \overline{) 9078}$$

Check your work using the multiplication algorithm. Show your work.



# Unit 3 Cumulative Review

1. Caleb has friends over for pizza and movies. His mom orders several pizzas—some cheese, and some pepperoni. After the friends are done eating,  $\frac{5}{12}$  of a cheese pizza and  $\frac{1}{3}$  of a pepperoni pizza are left over. Is there more cheese pizza or pepperoni pizza left over?

- a. Model  $\frac{5}{12}$  and  $\frac{1}{3}$  on a tape diagram.


- b. Explain how to determine which fraction is greater. \_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

- c. Which type of pizza had more left over, cheese or pepperoni? \_\_\_\_\_

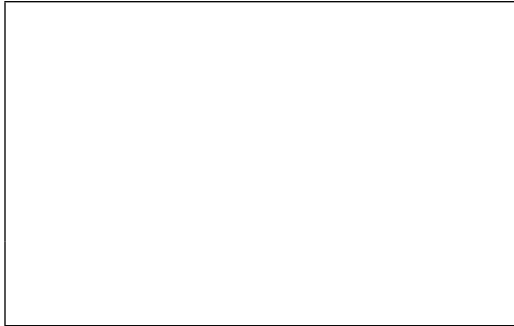
2. Multiply. Show your work.

$$607 \times 21 = \underline{\hspace{2cm}}$$

3. A bookstore ordered 14 boxes of the new book *Grossest Bugs!* Each box has 36 books. How many books did the store order?

a. Write a multiplication equation to represent the problem. \_\_\_\_\_

b. Use an area model and partial quotients to solve.



c. The store ordered \_\_\_\_\_ books.

4. Sigal has 0.86 yards of blue fabric and 0.79 yards of green fabric. Does he have more blue or green fabric?



Sigal has more \_\_\_\_\_ fabric.

5. Divide. Show your work.

$$4,941 \div 27 = \underline{\hspace{2cm}}$$

6. In gym class, there are 112 students. Coach Romero needs to divide the students into 8 equal groups. How many students are in each group? Write an equation and solve.

$$\underline{\hspace{2cm}} \div \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

There are          students in each group.

7. Use a number string to multiply  $6 \times 10^5$ . Show your work.

$$6 \times 10^5 = \underline{\hspace{2cm}}$$

8. Add.  $6.91 + 2.47 = \underline{\hspace{2cm}}$





9. Lucas' family had a yard sale this weekend. They made \$237 on Friday and \$268 on Saturday. They are going to split the money they made evenly among the 5 family members. How much money does each family member get?


Each family member gets \_\_\_\_\_ dollars.

10. Sayeed is baking a cake. The recipe says to put in  $\frac{6}{8}$  of a teaspoon of vanilla extract. Looking in the kitchen drawer, Sayeed can only find a  $\frac{1}{4}$  teaspoon. What equivalent fraction can he use to measure the vanilla?

Sayeed should use \_\_\_\_\_ teaspoons of vanilla.

11. Vanessa wrote 43.851 as the fraction  $43\frac{851}{100}$ .

a. What mistake did Vanessa make? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

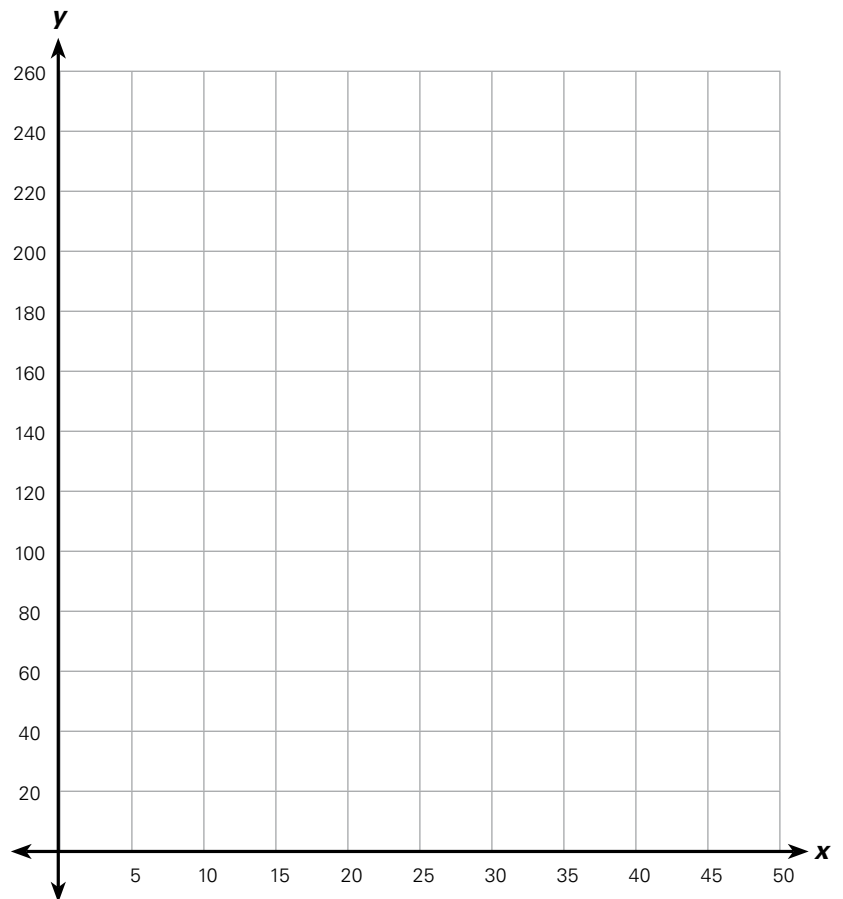
b. What is the correct fraction form of 43.851? \_\_\_\_\_

12. Subtract. Show your work.

$$6\frac{5}{8} - 2\frac{7}{8} = \underline{\hspace{2cm}}$$

13. The table shows the amount of money made in sales for different numbers of movie tickets. Plot the data from the table on the coordinate plane. Include axes labels.

<b>Movie Tickets Sold</b>	<b>Money Made</b>
5	\$40
10	\$80
15	\$120
25	\$200
30	\$240



**14.** Multiply. Show your work.

$$4 \times \frac{5}{6} = \underline{\hspace{10em}}$$

**15.** Ahmed is 8 years old. Ahmed's father is 7 times older than Ahmed. How old is Ahmed's father?

Ahmed's father is \_\_\_\_\_ years old.